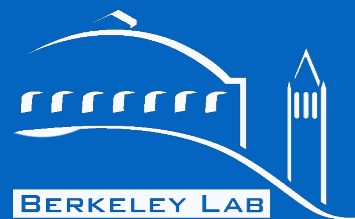


Why this experiment?

It was the right time

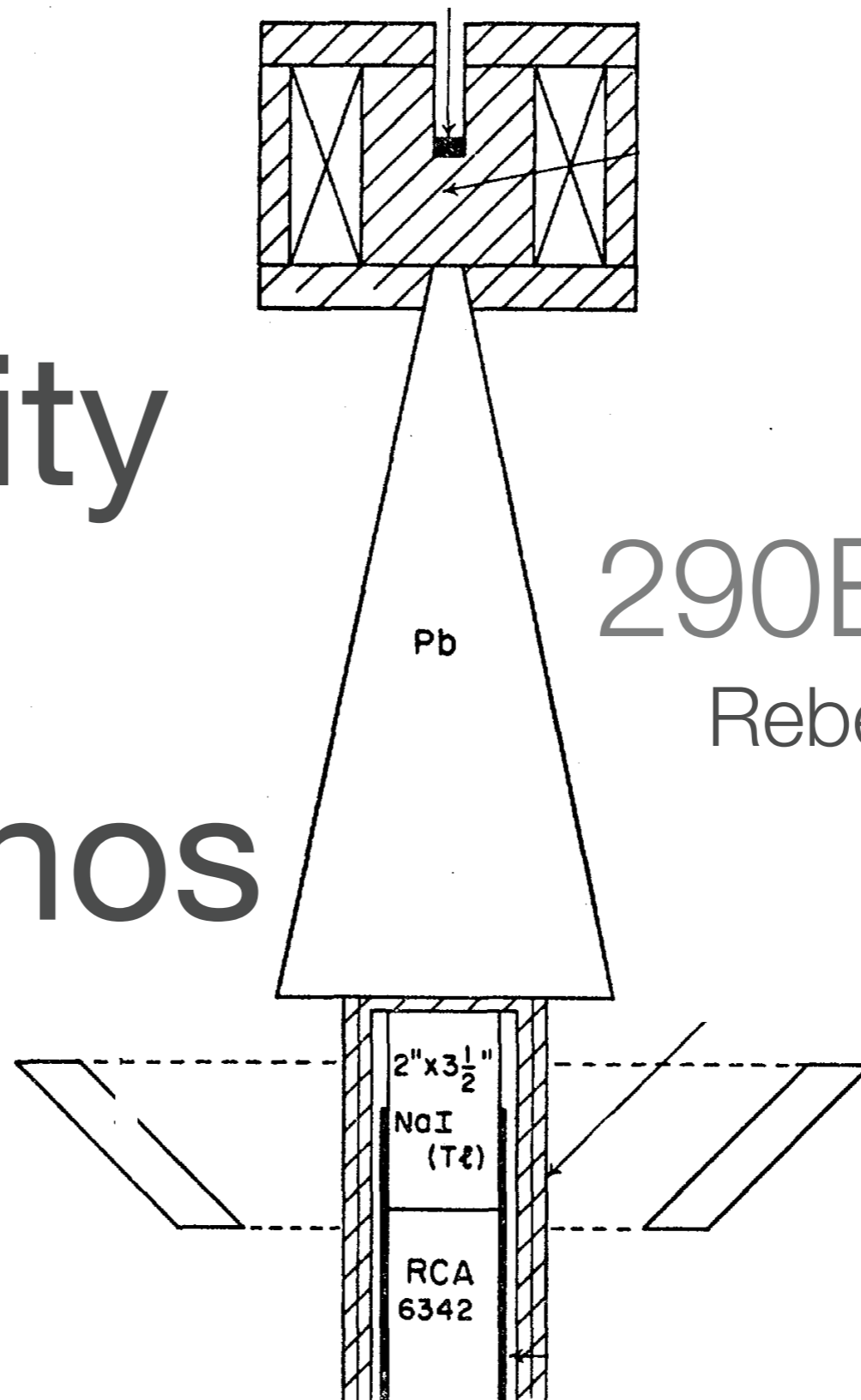
In a lab investigating the right techniques

**With a touch of ingenuity
to put them all together**



Helicity of Neutrinos

290E seminar
Rebecca Carney

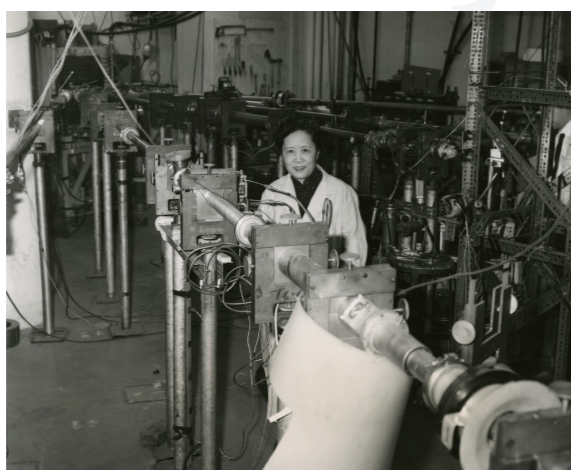


June 1956



- Yang and Lee demonstrated there was no evidence that parity was conserved in weak interactions.
- So, between 1957-1960, many groups devised experiments to find the smoking gun.

January 15th-17th 1957



- Wu's team showed an asymmetrical angular distribution of electrons from the Beta decay of polarized nuclei: this was the first documented proof of parity violation in weak interactions.
- Also on the **15th**, Garwin, and **2 days later** Friedman, separately, show polarization in a muon from pion decay.

March 1st 1957



- Then, on March 1st, the polarization of the electron in beta decay, from non-polarized nuclei, was measured by Fraunfelder's team.

- But these experiments only narrowed down the problem. In what way did the weak interaction couple to leptons? This could be quantified by how the lepton current transformed under parity in beta decay.

ruled out by observations of nuclear spin not being conserved in beta decay
e.g. He- \rightarrow Li Gamow-Teller transition

Type	Form	Components	"Boson Spin"
◆ SCALAR	$\bar{\psi}\phi$	1	0
◆ PSEUDOSCALAR	$\bar{\psi}\gamma^5\phi$	1	0
◆ VECTOR	$\bar{\psi}\gamma^\mu\phi$	4	1
◆ AXIAL VECTOR	$\bar{\psi}\gamma^\mu\gamma^5\phi$	4	1
◆ TENSOR	$\bar{\psi}(\gamma^\mu\gamma^\nu - \gamma^\nu\gamma^\mu)\phi$	6	2

Start off with the scalar current in expanded form:

$$\bar{\psi}\phi = \psi^\dagger\gamma^0\psi$$

Which under parity becomes: $(\gamma^0\psi)^\dagger\gamma^0(\gamma^0\psi)$ because: $\psi \xrightarrow{P} \gamma^0\psi$

Simplify: $\psi^\dagger(\gamma^0)^\dagger\gamma^0(\gamma^0\psi)$, $\gamma^0\gamma^0 = I$, $(\gamma^0)^\dagger = \gamma^0$

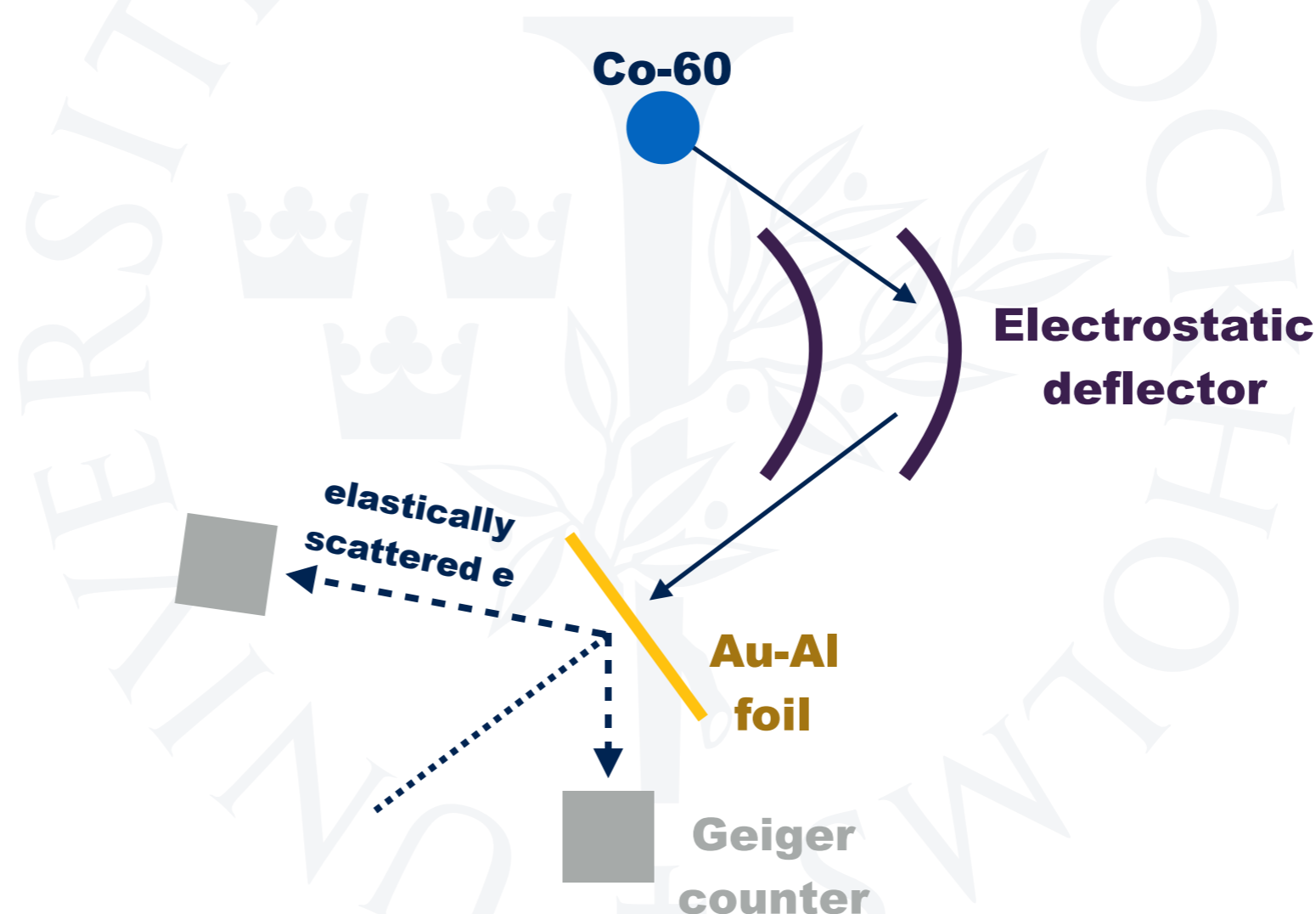
Finally: $\psi^\dagger\gamma^0\psi = \bar{\psi}\phi \quad \therefore \bar{\psi}\phi \xrightarrow{P} \bar{\psi}\phi$

- A scalar form is invariant under parity, but **linear combinations with other forms might not be.**

If the neutrino had a single-handedness the correct combination could be narrowed down.

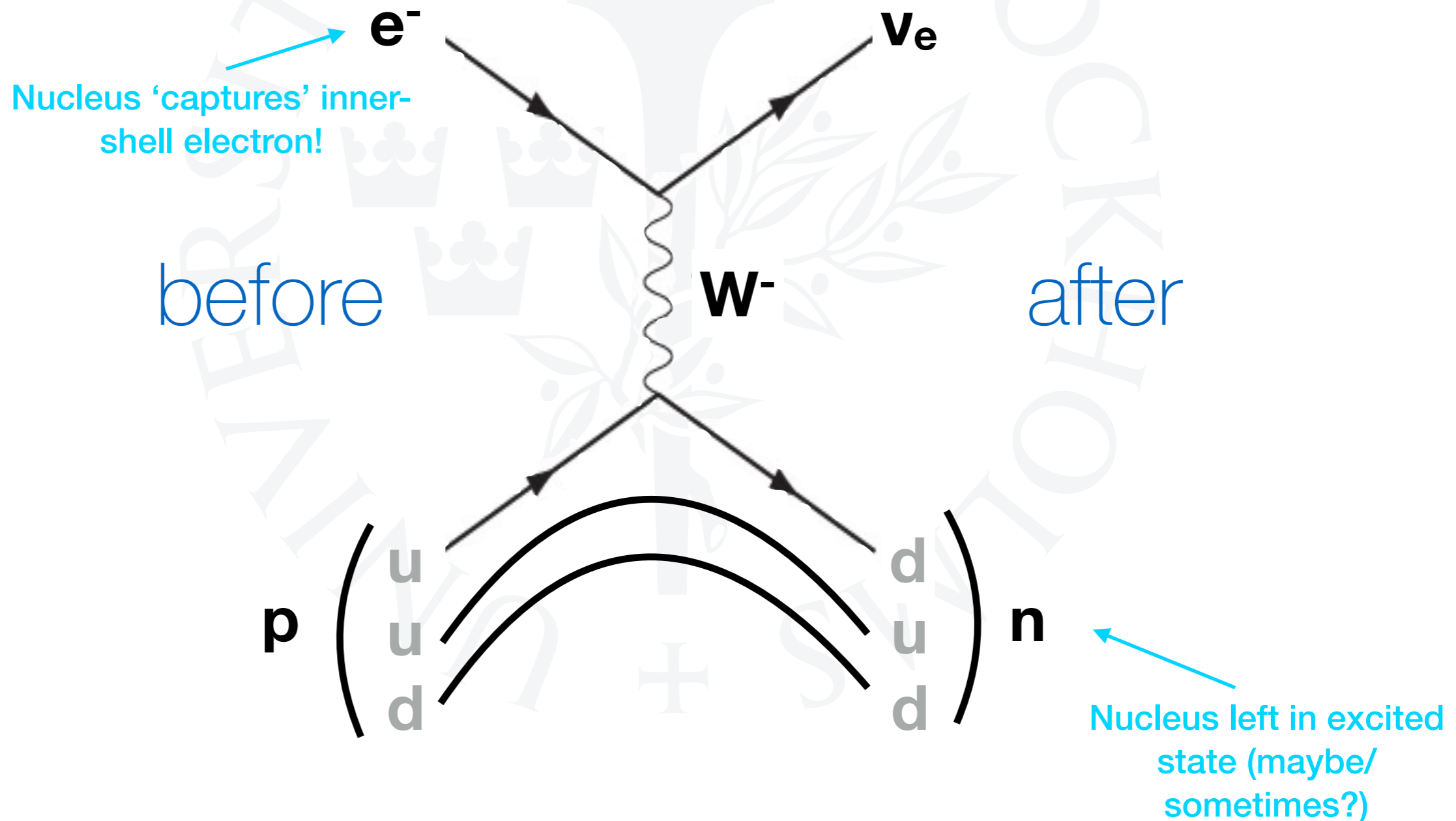
In beta decay, the electron polarization was only part of the puzzle. So an experiment was formed to measure the helicity of the neutrino.

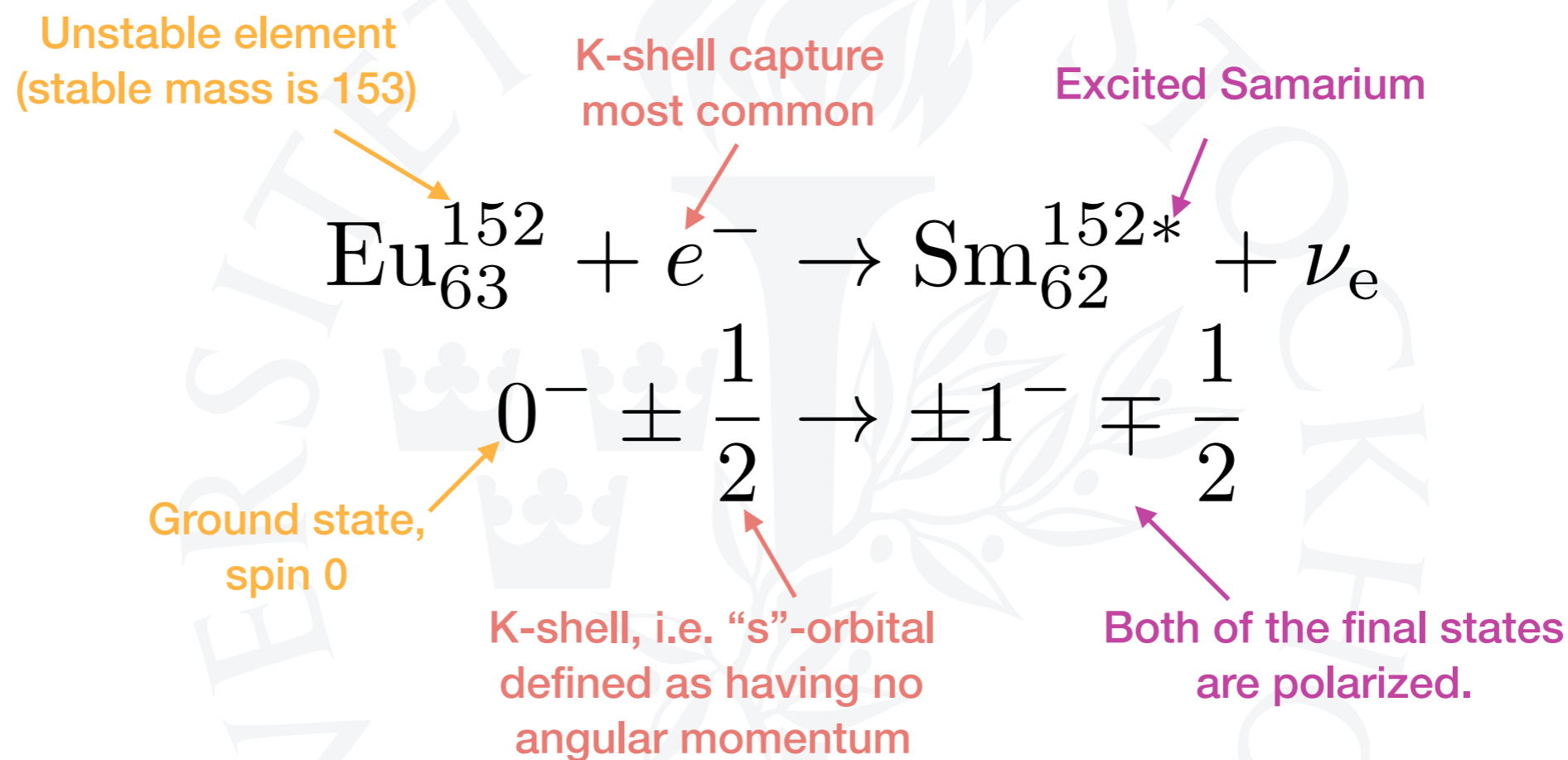
How had the helicity of the electron been measured?



But a pure scattering-counting experiment wouldn't work for the neutrino since it interacts so infrequently (and... has no charge).

Instead, consider how angular momentum is conserved across a different type of weak interaction: electron capture.

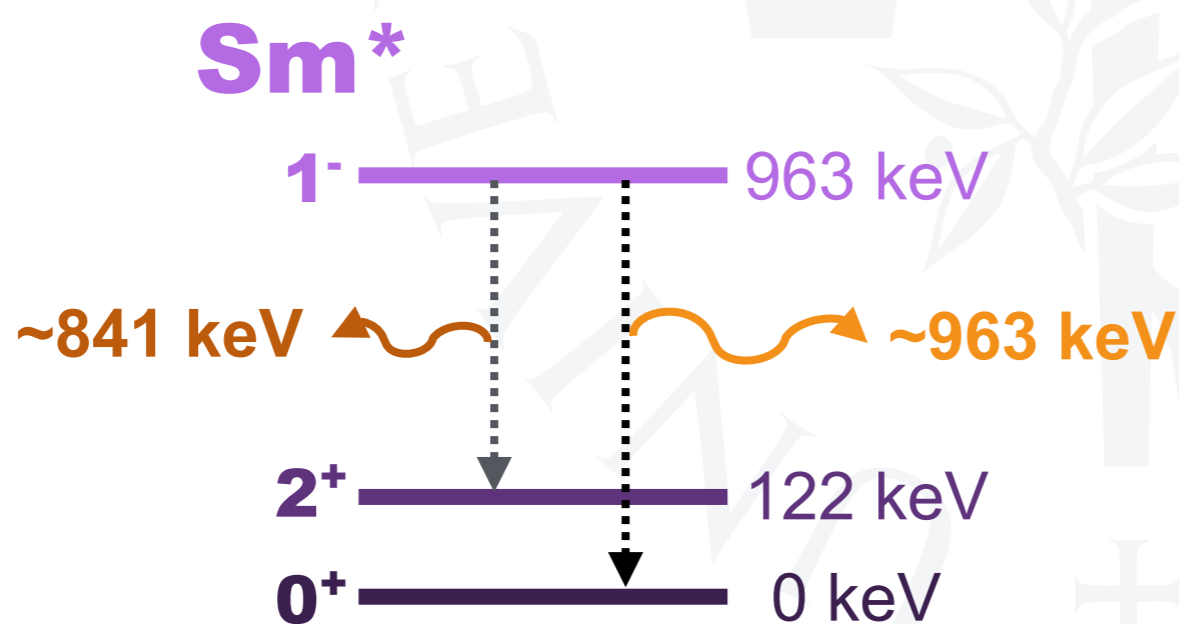
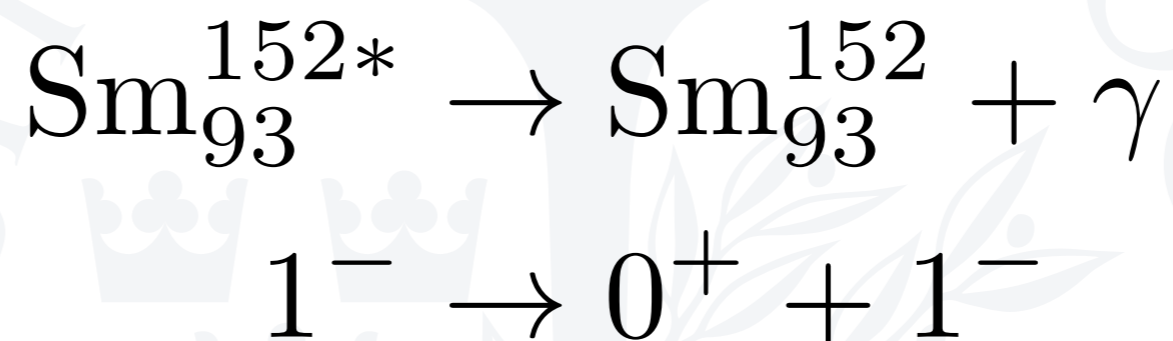




As both final states are polarized, they must have opposite spins to conserve angular momentum.

The neutrino has disappeared, that's the last we'll hear from it in this experiment.

So what is left? An excited nucleus...



- A non-exhaustive diagram of excited states of the Sm nucleus.
- From the excited 1^- state, the nucleus can de-excite in two ways.
- Only the transition to ground state will carry away the nuclear spin.
- In 1957, only the BNL team knew the decay scheme of Sm-152!

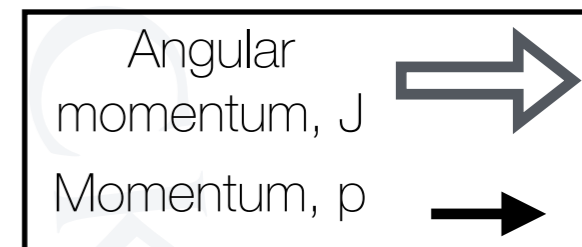
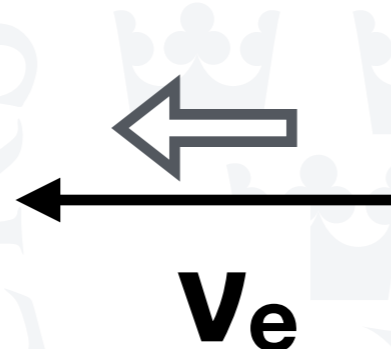
How does this help us?

If we know that the photon was emitted back-to-back with the neutrino, i.e. same direction as nucleus then **it has the same helicity as the neutrino.**

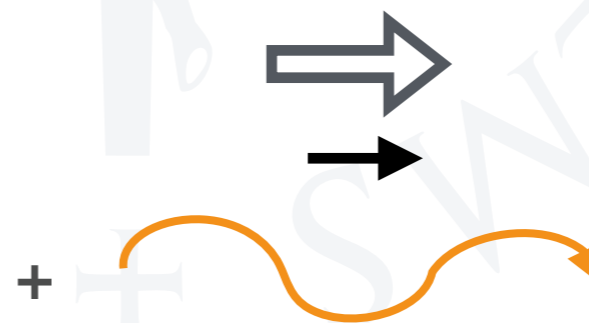
And so, measuring the helicity of the photon tells us the helicity of the neutrino. Done!

Part 1

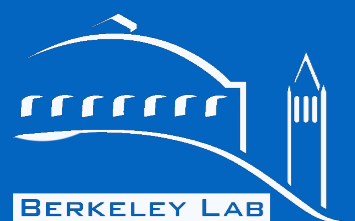
Part 2



Electron capture

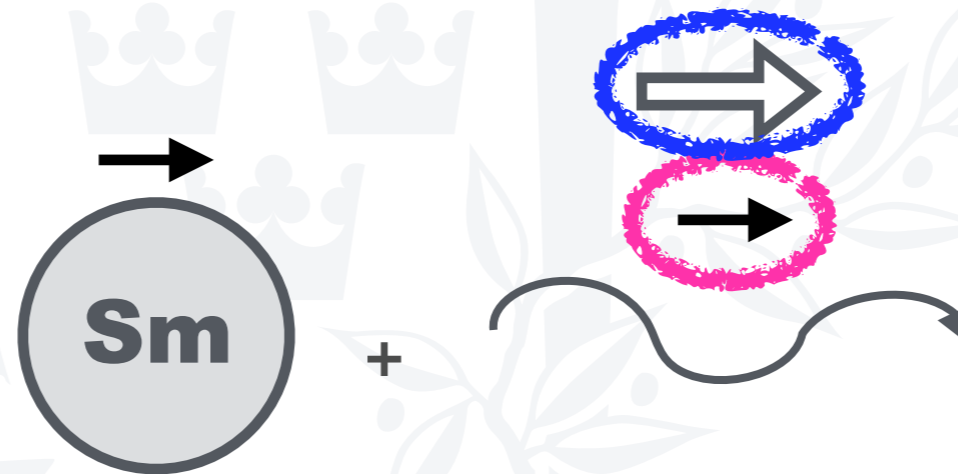


Nuclear de-excitation to ground state



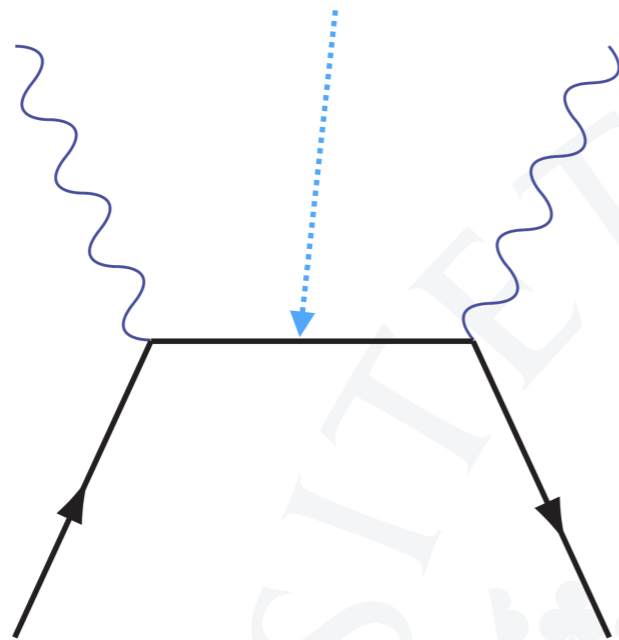
But there are various complications with this.

1. How do you measure the helicity (polarization) of the photon?
2. How do ensure the photon was emitted anti-parallel to the neutrino?



The answers to these questions are what makes this experiment so unique.

electron is the mediator



Q: How do you measure the helicity (polarization) of the photon?

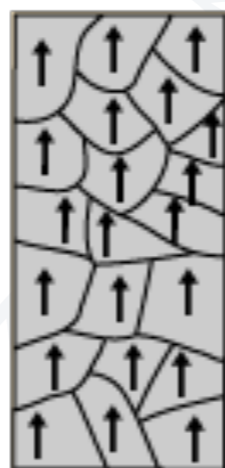
A: Filters made with wave-plates are most commonly used. Disadvantages both for experiment design & b/c gamma rays

However

There is a spin dependence of Compton scattering off atomic electrons

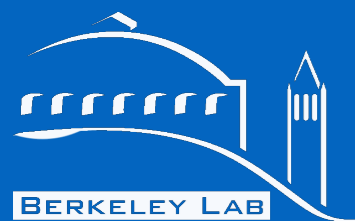
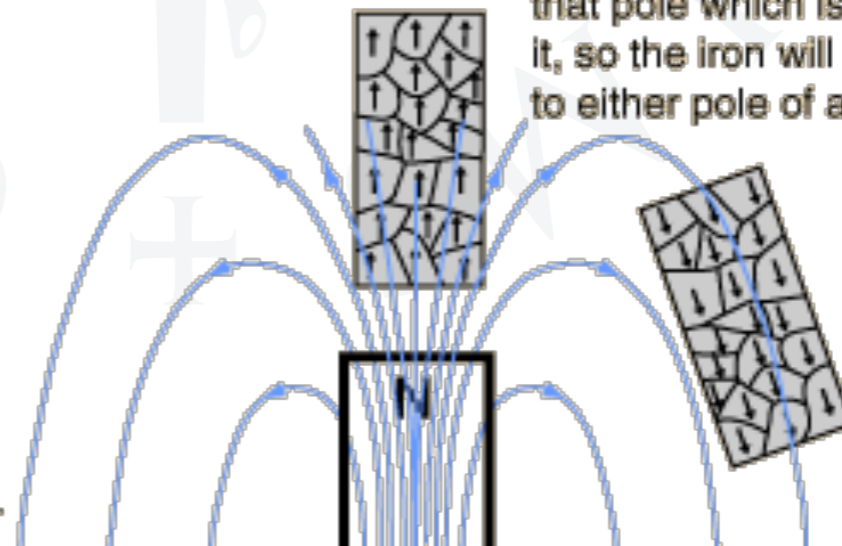


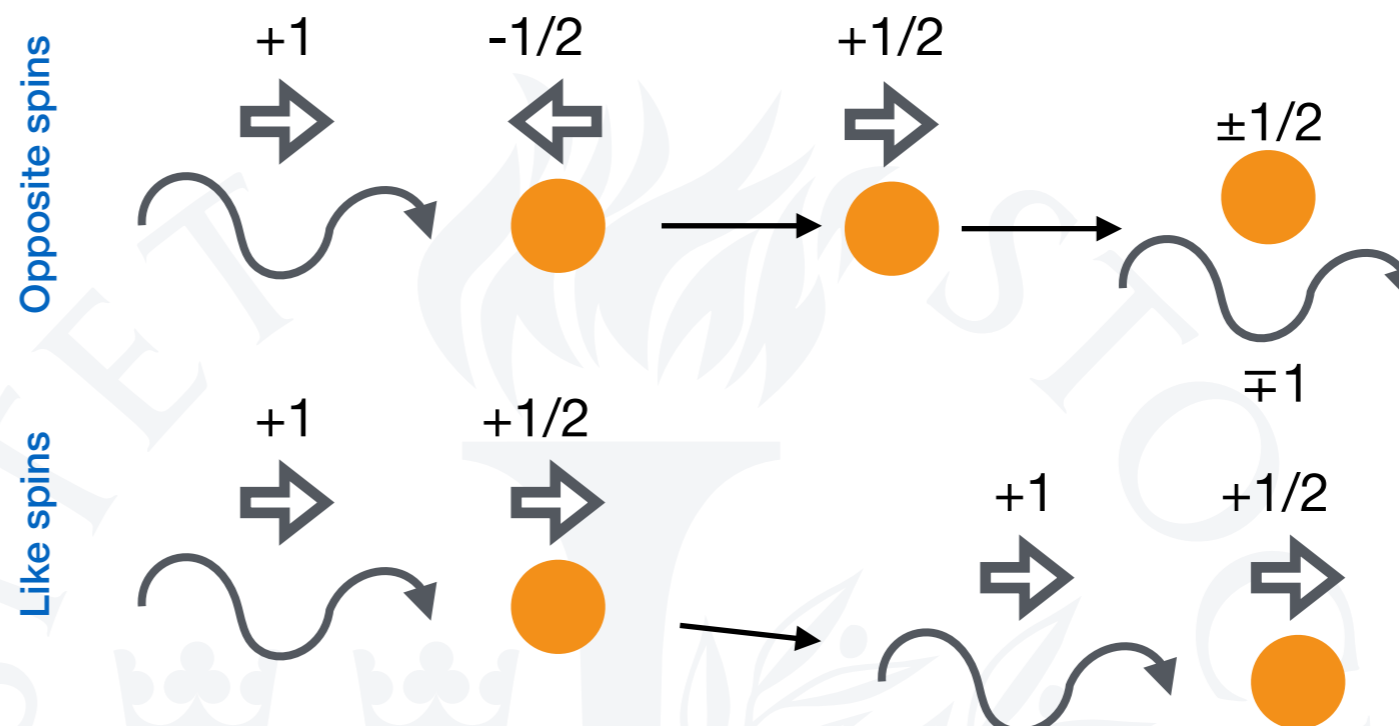
In bulk material the domains usually cancel, leaving the material unmagnetized.



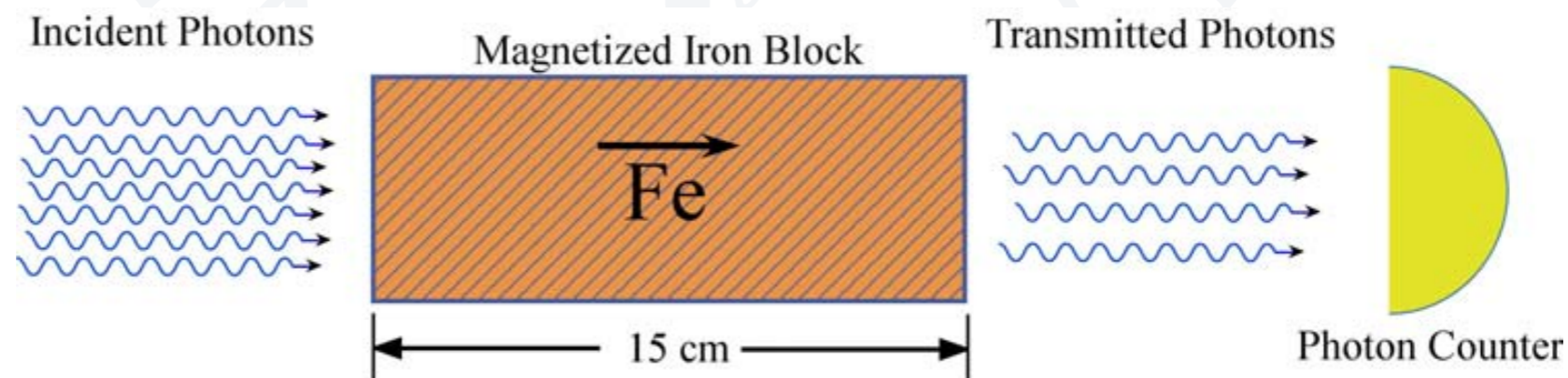
Externally applied magnetic field.

Iron will become magnetized in the direction of any applied magnetic field. This magnetization will produce a magnetic pole in the iron opposite to that pole which is nearest to it, so the iron will be attracted to either pole of a magnet.

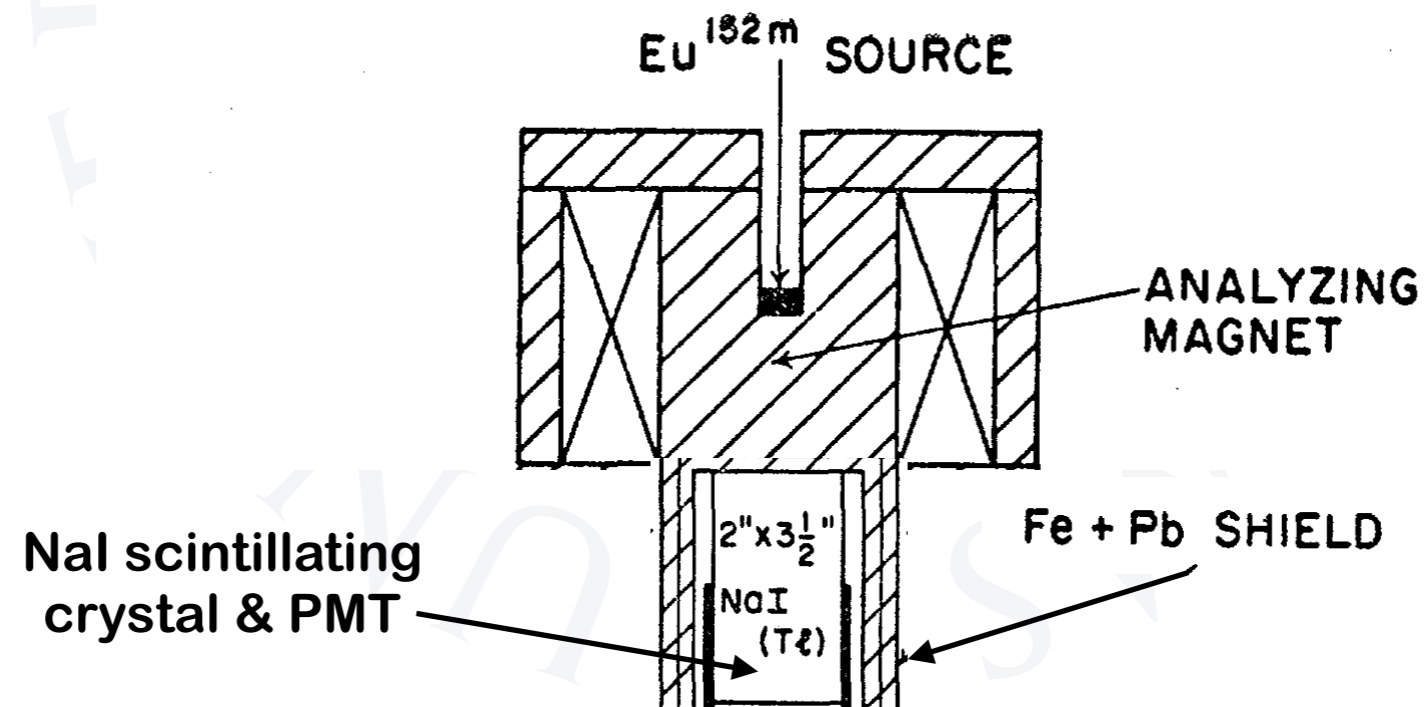




- If an electron in Fe has opposite spin to the photon: it can absorb the ang. mom. by spin-flip (top row).
- If spin is parallel, it cannot (bottom row).
- If polarized photons travel through enough magnetized Fe, more of one polarization will pass than the other.

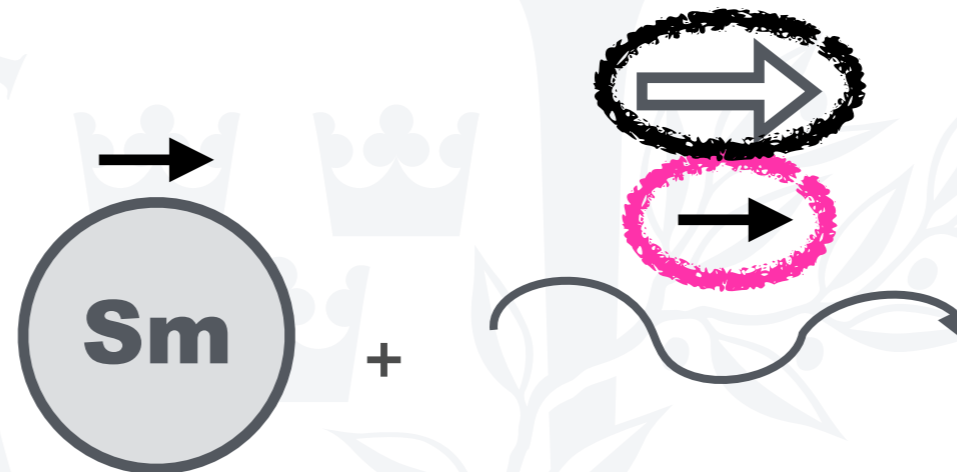


- Measure the transmission of unscattered photons through a thick, magnetized iron absorber. Those with aligned spins will transmit through the absorber at a greater rate. So if there is a discrepancy in the amount produced it will be seen.
- This, then, is your measurement: a simple counting experiment looking for a discrepancy in the number of LHP vs. RHP photons.



But there are various complications with this.

1. How do you measure the helicity (polarization) of the photon?
2. How do ensure the photon was emitted anti-parallel to the neutrino?

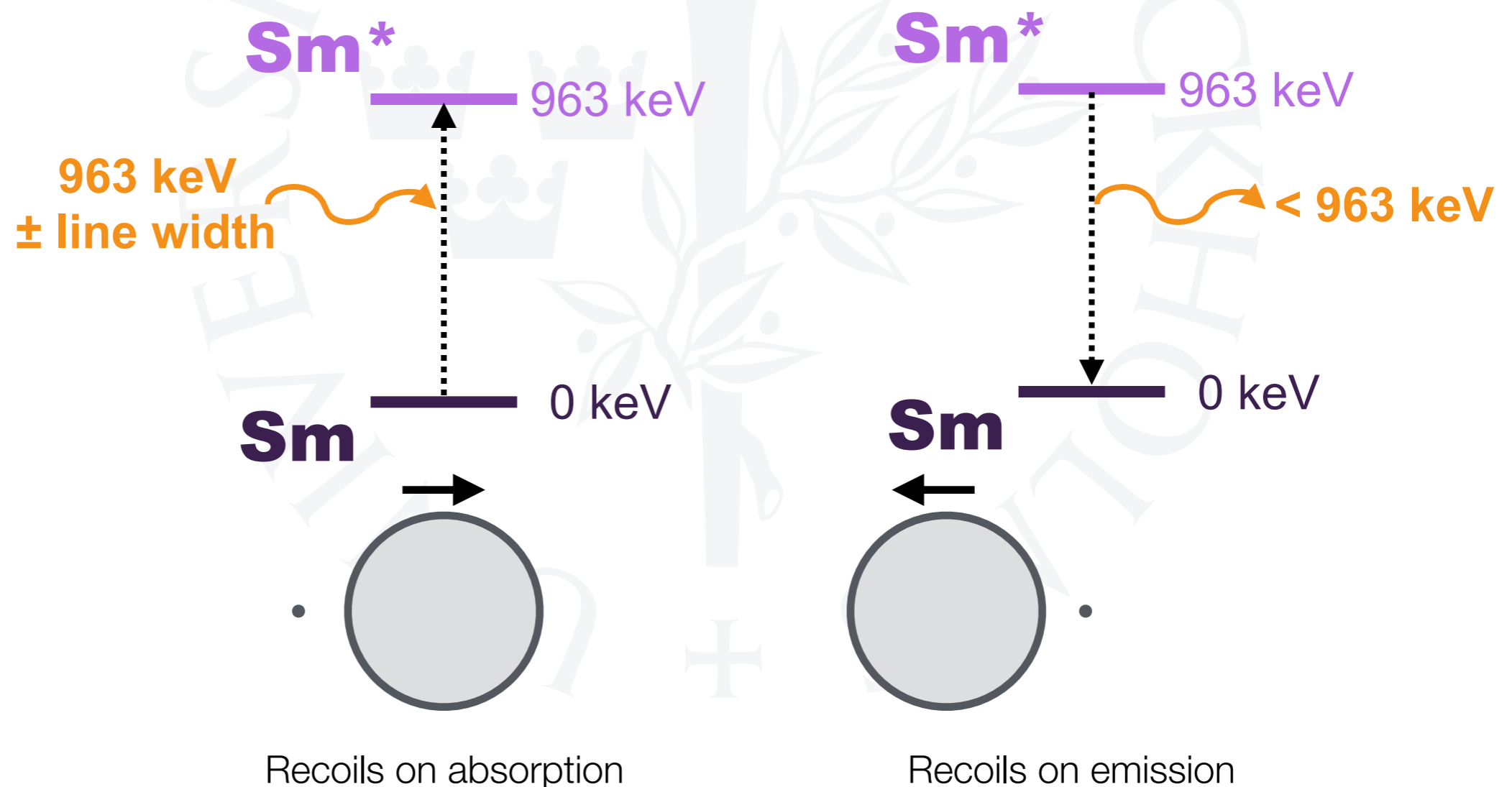


But what about the momentum vector? We still don't know if the photon was produced back-to-back or not.

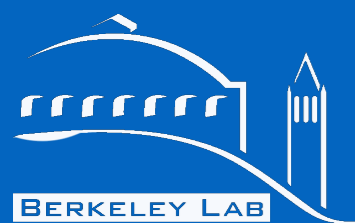
The solution in how to get around this is two-fold. First, resonant fluorescence.

1. Photon promotes nucleus to excited state.
2. Nucleus will then emit the photon to de-excite.

But some energy is lost by conservation of momentum: the nucleus recoils on absorption and emission (Mössbauer effect).



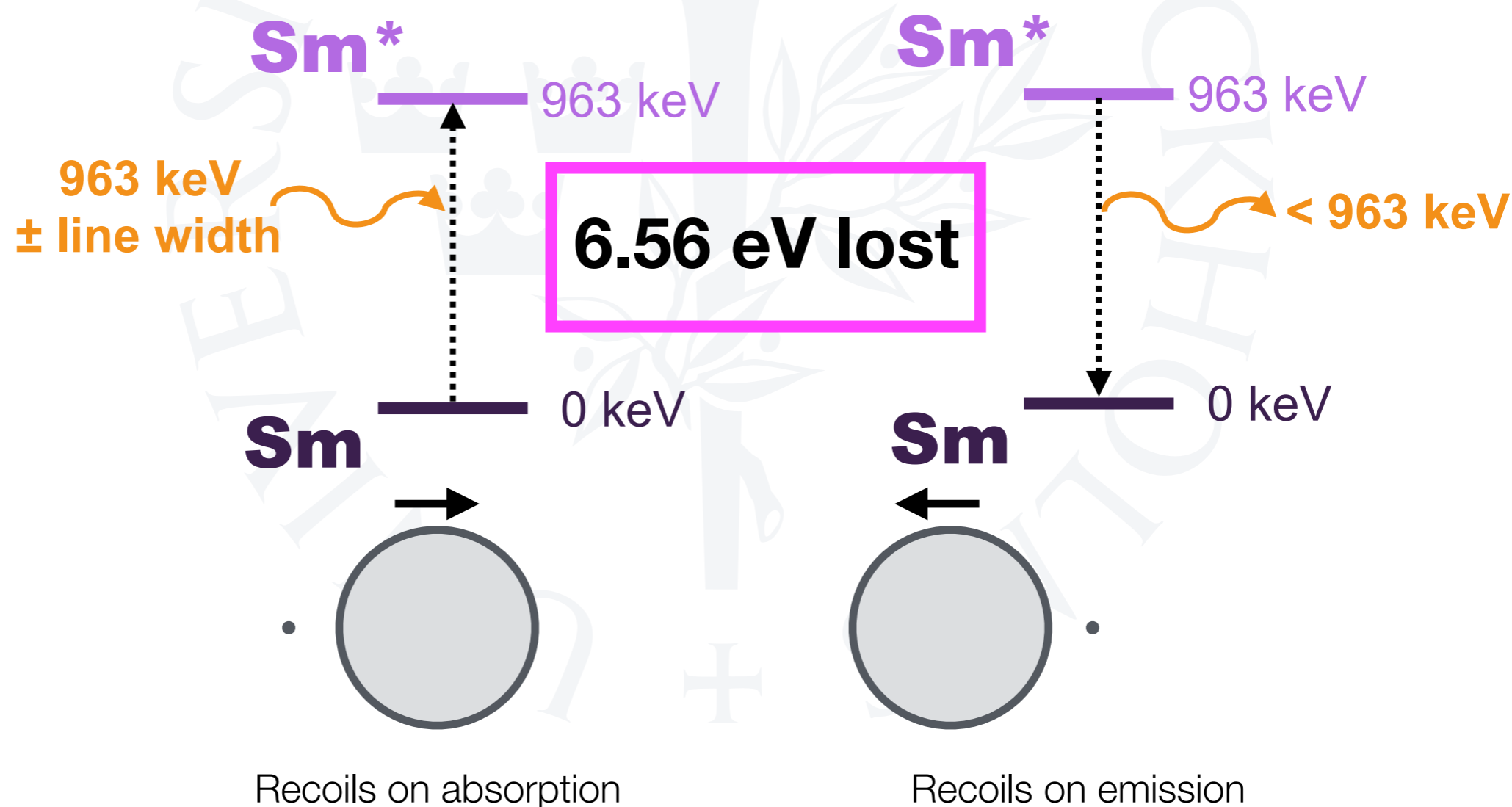
From earlier...



How much energy is lost?

$$\Delta E = \frac{E_0^2}{2Mc^2} = \frac{(963 \times 10^3)^2}{2 \cdot 141.51 \times 10^9} \approx 3.28 \text{ eV}$$

$$M_{152} = 151.92 \text{ [g mol}^{-1}] \times 931.49 \text{ [MeV/c}^2] = 141.51 \text{ [GeV/c}^2]$$



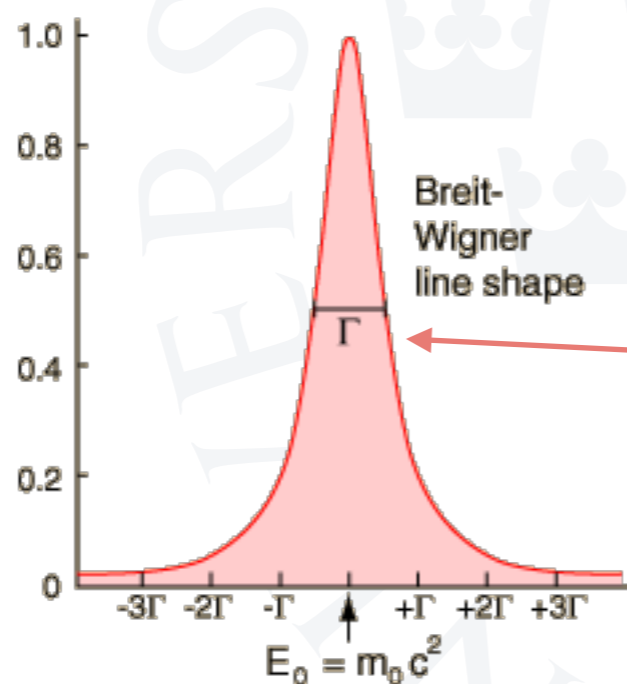
Why does this tiny energy loss matter?

Why does this (relative to the excitation gap) tiny difference matter?

$$6.56 \text{ [eV]} \ll 963 \text{ [keV]}, (\sim 1 \times 10^5)$$

Because it's not that small compared to the natural line-width

$$6.56 \text{ [eV]} > 0.01 \text{ [eV]}, (\sim 1 \times 10^2)$$



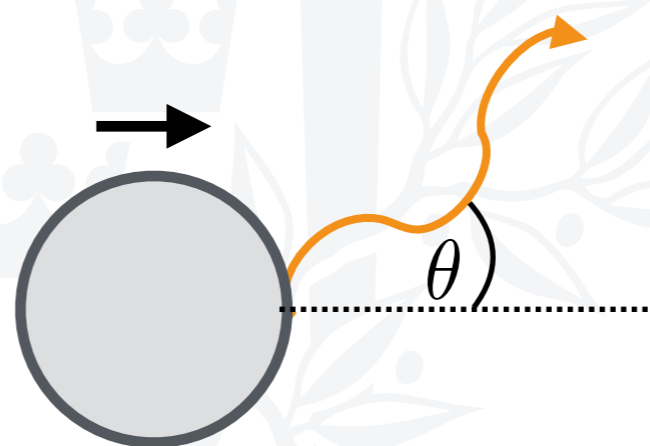
natural line-width of this this state (from the uncertainty principle, each excited state has an associated lifetime)

So, imagine you wanted to induce fluorescence from a photon emitted from a different nucleus of the same type: **you'd have to give additional energy to the photon.**

How to add energy to photon to
compensate for Mössbauer effect?

How about temperature? Doppler shifting photon according to mean thermal energy:

$$\Delta E_\gamma = E_\gamma^0 \beta \cos(\theta) = E_\gamma^0 \left(\frac{2kT}{Mc^2} \right)^{1/2} \cos(\theta) \approx 0.5 \cos(\theta) \text{ [eV]}$$



Even though thermal doppler shift is $> 10x$ natural line-width it's still $< 10x$ what is needed to compensate for the 6.56 eV loss from the Mössbauer effect.

But what about a different type of Doppler shift?



Let's take another look at that Sm-152 961 keV level..

But what about a different type of Doppler shift?



Let's take another look at that Sm-152 961 keV level..

$$\text{Mean lifetime} = (3.5 \pm 1) \times 10^{-2} \text{ [ps]}$$

But what about a different type of Doppler shift?



Let's take another look at that Sm-152 961 keV level..

$$\text{Mean lifetime} = (3.5 \pm 1) \times 10^{-2} \text{ [ps]}$$

Stopping time of Sm-152 following electron capture:

But what about a different type of Doppler shift?



Let's take another look at that Sm-152 961 keV level..

$$\text{Mean lifetime} = (3.5 \pm 1) \times 10^{-12} \text{ [ps]}$$

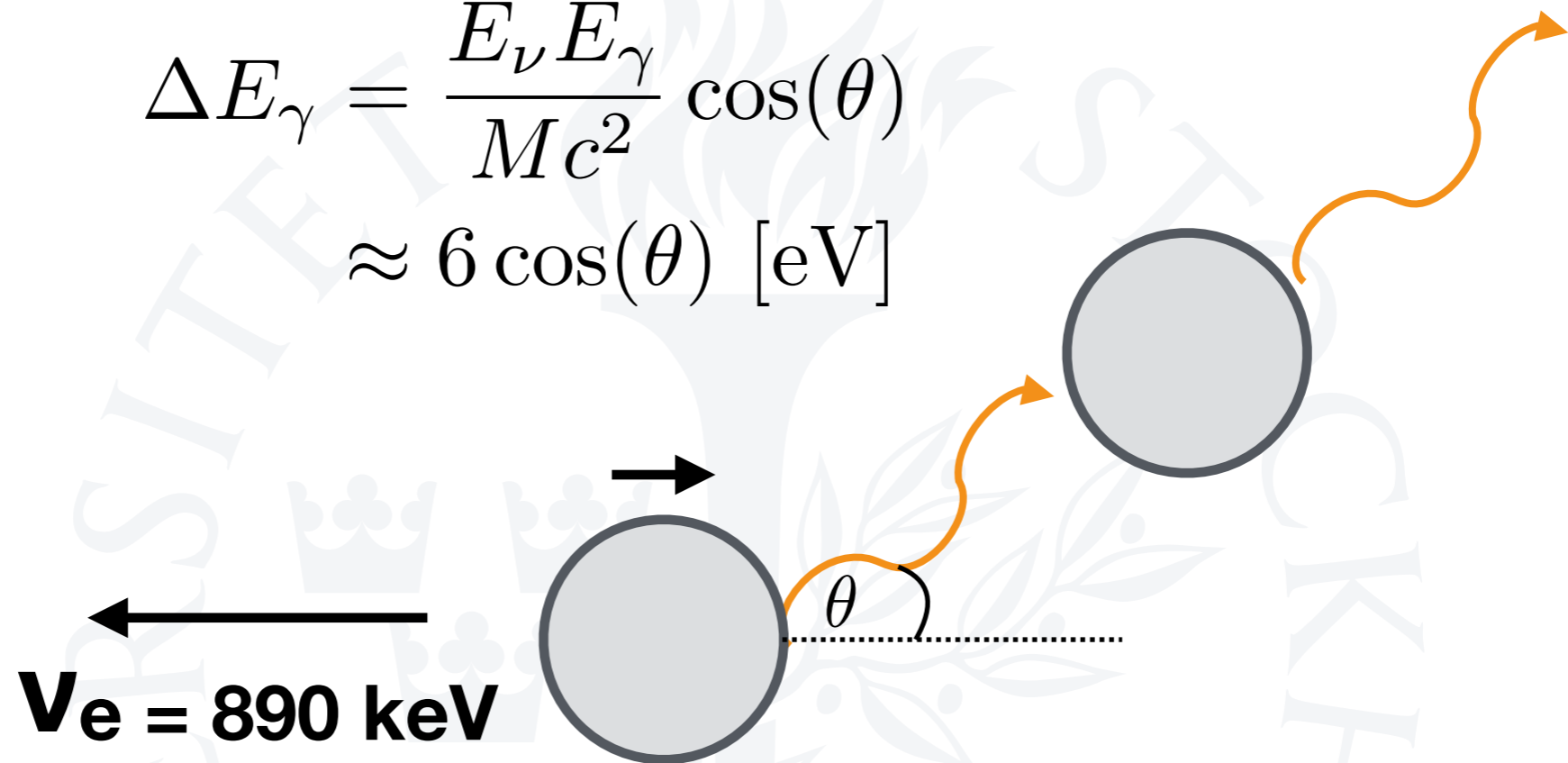
Stopping time of Sm-152 following electron capture:

$$\text{Stopping time} \approx 1 \text{ [ps]}$$

**Sm-152 will de-excite whilst still recoiling from electron-capture.
The photon it emits will be doppler shifted.**

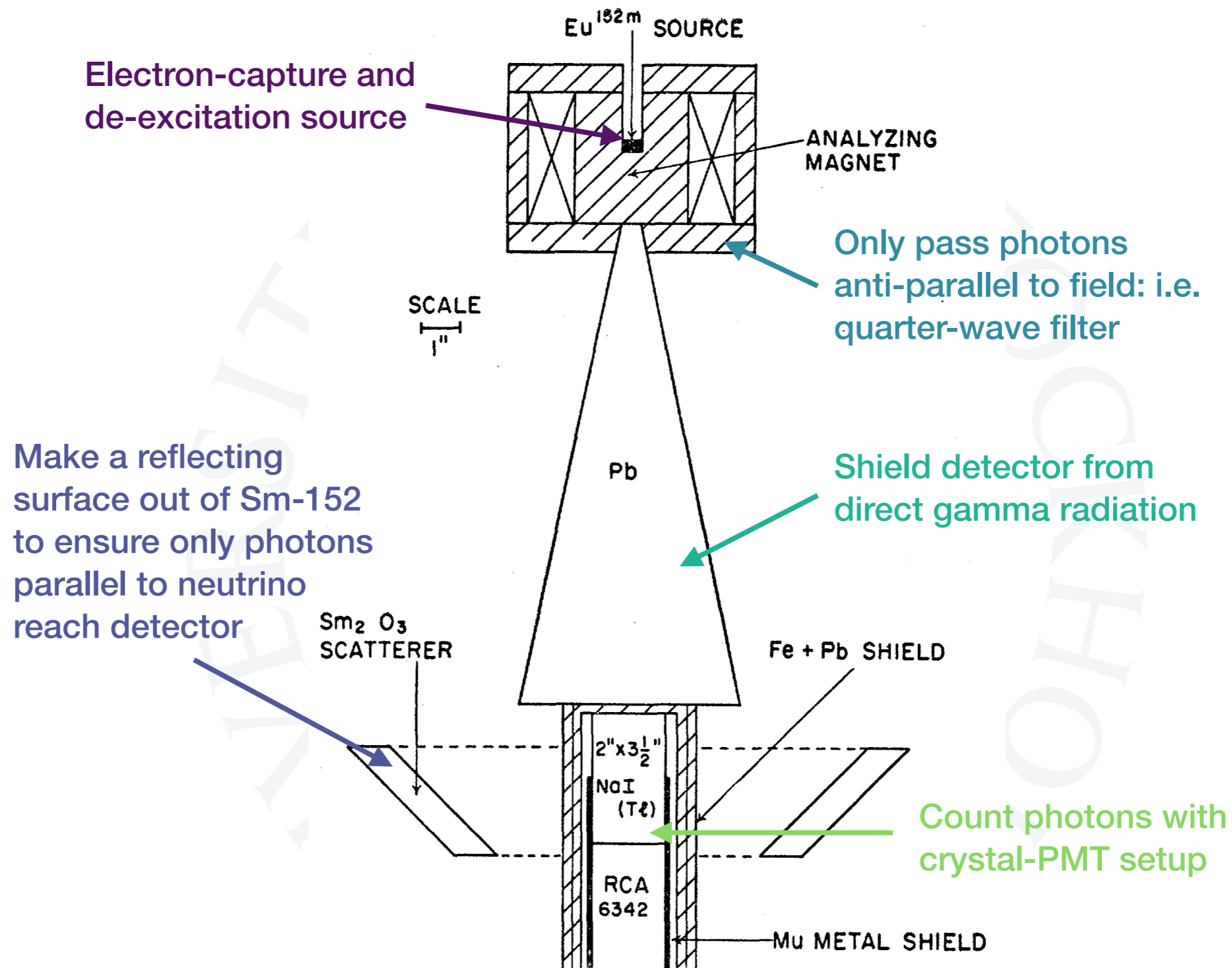
$$\Delta E_\gamma = \frac{E_\nu E_\gamma}{Mc^2} \cos(\theta)$$

$$\approx 6 \cos(\theta) \text{ [eV]}$$

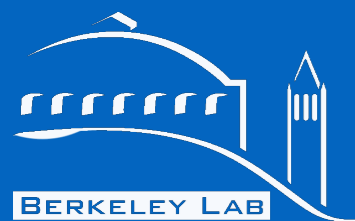


So, to put that in perspective, sent into a bath of Sm-152, the only gamma rays that will undergo resonant fluorescence are those that have undergone maximal doppler shift from the nuclear recoil: **i.e. only those that are back-to-back with the neutrino.**

Putting it all together

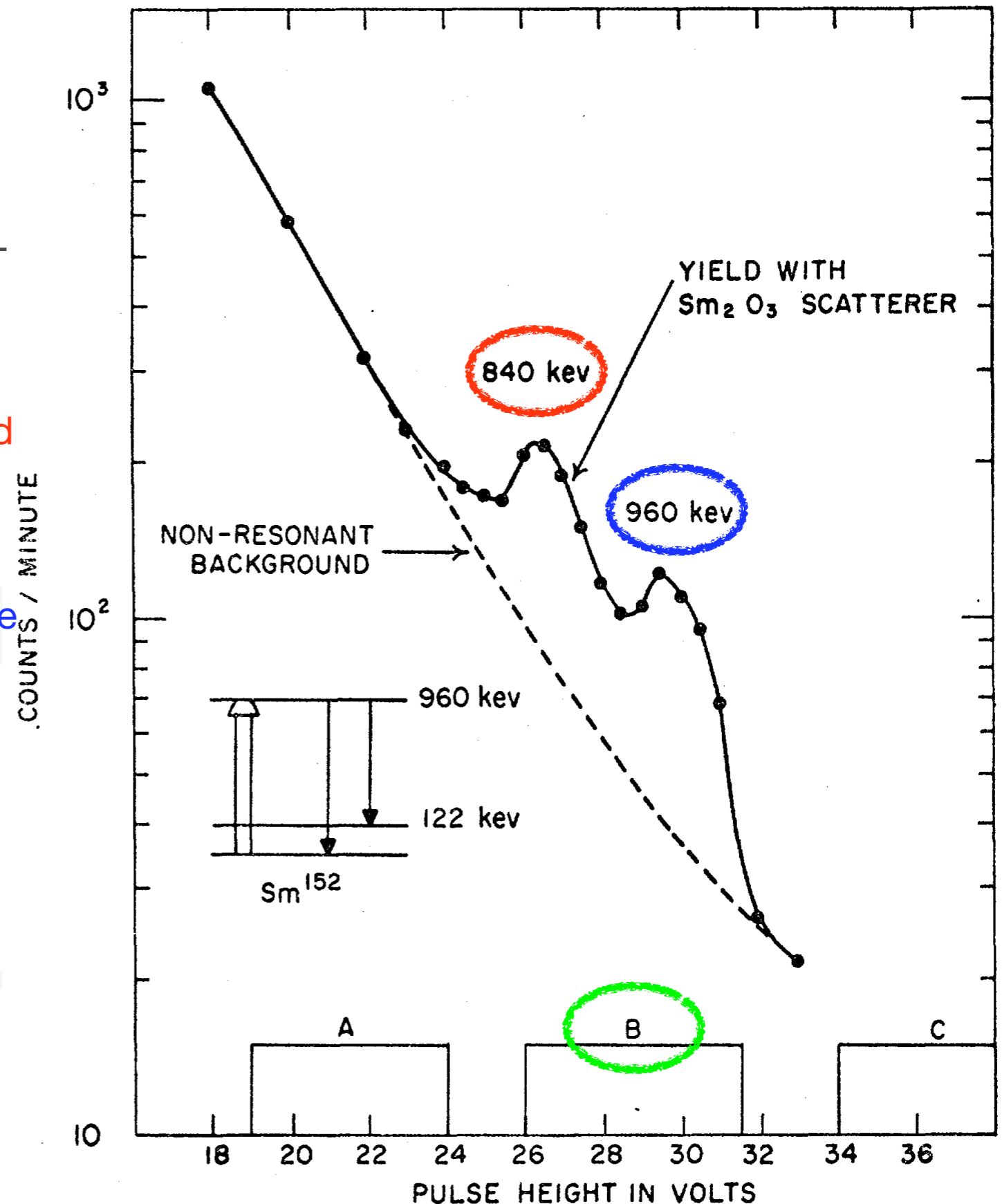


Procedure: varying magnetic field, measuring count.



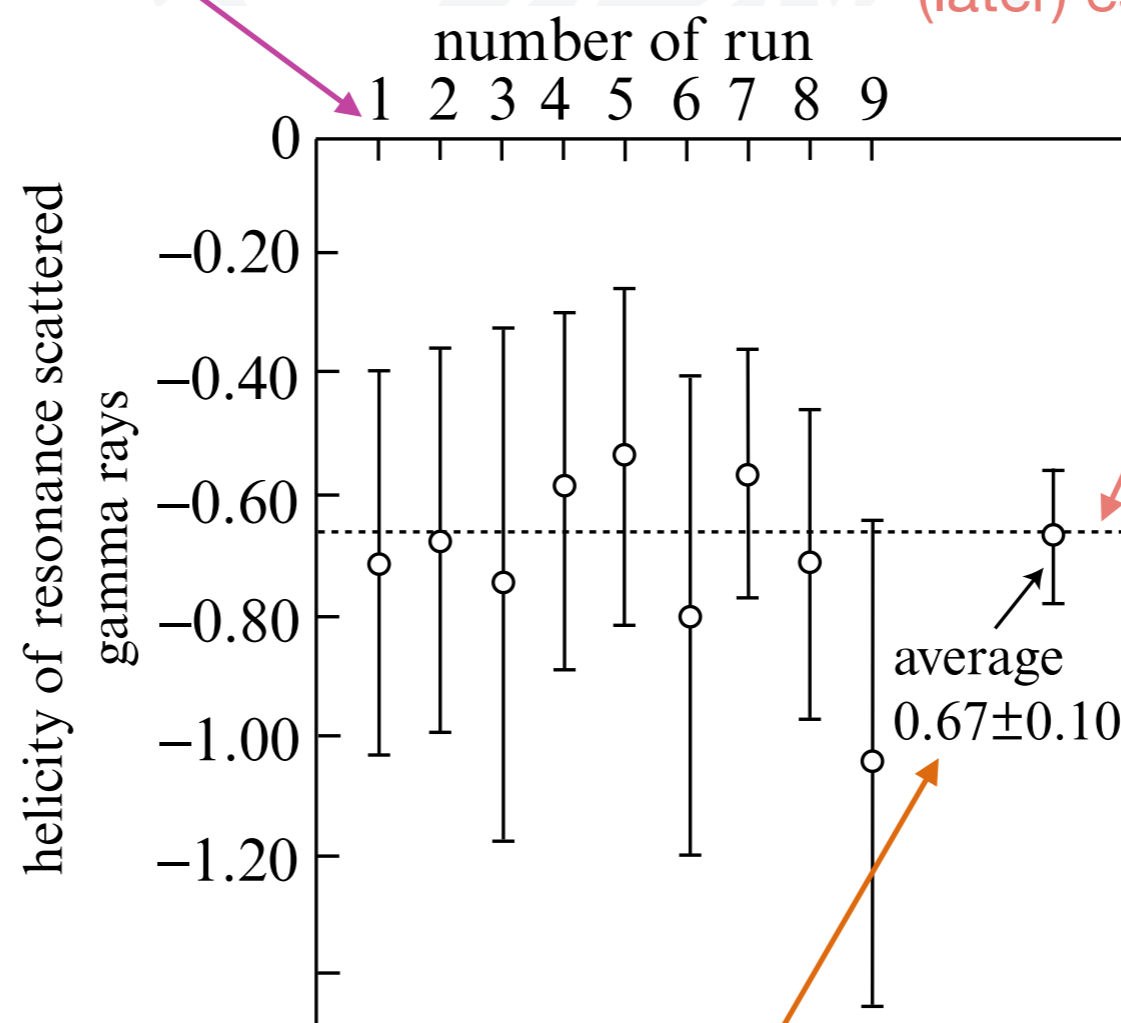
Results

- First, see the non-resonant background from photons that were selected but didn't get re-absorbed and re-emitted.
- Then, note 2 peaks in the resonant signals!
- The 840 keV is from the second nuclear emission going to the 122 keV state. This is no good as it won't propagate the spin.
- The 960 keV peak is the one we want (NB why 960 and not 963?)
- B - signal region
 - A - compton scattering
 - C - background
- They reversed the magnetic field to check for systematics: the only region that changed was B.



9 independent runs were made. i.e. they replaced their Eu-152 sample 9x

This measurement was an observation of negative helicity, compatible with the (later) established V-A form.



$$\partial = \frac{N_- - N_+}{(N_- + N_+)/2}$$

67% circular polarization was observed. This was consistent with the corrections for non-K shell electron capture, thermal motion, and the 840 keV recoil.

- The measurement of a net negative helicity in the neutrino confirmed what Wu and others supported: the neutrino produced in weak interactions had negative helicity.
- This did not rule out admixtures of handed-ness, but it did show an asymmetry.
- To date, this remains the most precise direct measurement of the neutrino helicity.
- All it needed was to have a working knowledge of Eu-152 decays, the ingenuity to scope out resonant fluorescence, and the great technique to put them together.



Helicity of Neutrinos by M. Goldhaber, L. Grodzins, & A. W. Sunyar
Phys.Rev. 109 (1958) 1015-1017

<https://journals.aps.org/pr/pdf/10.1103/PhysRev.109.1015>

The Experimental Foundations of Particle Physics by Bob Cahn & Gerson
Goldhaber, Chapter 6, 1989

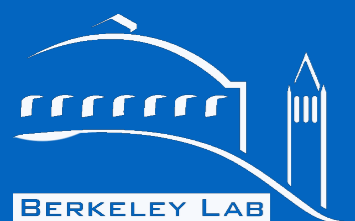
<https://www-cambridge-org.ezproxy.cern.ch/core/books/experimental-foundations-of-particle-physics/C874A203ABB6D376ADC7E725C5A32CD2>

Helicity of the Neutrino by Amit Roy, Resonance magazine, 2015

<https://link.springer.com/content/pdf/10.1007%2Fs12045-015-0227-y.pdf>

The Tabletop Measurement of the Helicity of the Neutrino by Lee Grodzins,
Italian Institute of Physics Review: Percorsi, Vol. 26, n 5-6, 2010

<http://prometeo.sif.it/papers/online/sag/026/05-06/pdf/05-percorsi.pdf>



- Eu-152 only decays by electron capture **72%** of the time (the review quotes 20%, it is unclear if this is just wrong or if they mean 20% of electron captures come from the K-shell: which would be very odd indeed!)
- The neutrino was emitted with a different momentum to the gamma ray (890 keV vs. 963 keV), which contributes to the polarization being **~84%**.
- Electron capture could happen in the L and M shells..
- Replacing the Sm-152 scatterer by a Pb scatterer, allowed to check if resonant scattering was indeed present.
- Only **2%** of photons were transmitted through the 3 m.f.p. of Pb: so they understood their systematics to within $< 2\%$!

