Machine Learning for Jet Physics, 2017

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Overview

- Traditional learning paradigm
- Learning to learn
 - Paradigms
- Utility in Jet Physics

Traditional Learning

Traditional (supervised) Learning

- Have some data (X, Y)
- Would like to learn a hypothesis to map X to Y via $h(X, \theta)$
- More data, X, and we would like to know Y, but settle for h(X)
- We use tools (optimization, splitting, etc.) to solve for $\theta^* = \operatorname{argmin}_{\theta} L(X, Y; \theta)$

Traditional Generative Modeling

- Have some data X
- Would like to learn to sample from P(X) or perhaps evaluate likelihood of X
- Modern tools (GANs, VAEs, Autoregressive Models, etc.) optimize various information theoretic criteria to do this

Standard Setup

- Training data, validation data, test data
- Single task (i.e., b-tagging in a specific p_T range, learn a GAN on jet images, etc.)
- Minimize risk / loss / error in expectation on test data using only training data

Learning how to Learn

Why does the standard setup fail?

- Datasets are always changing
- May have limited data for a specific problem (hard-to-simulate region of phase space)
- Deployment domain ≠ training domain
- Question: can we have models learn the most efficient way to learn?

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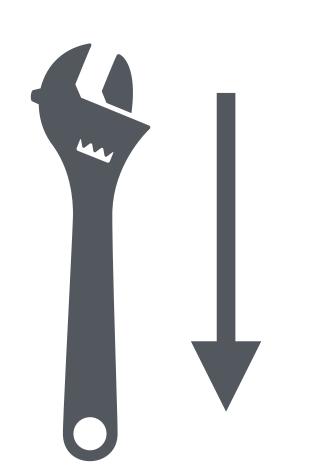
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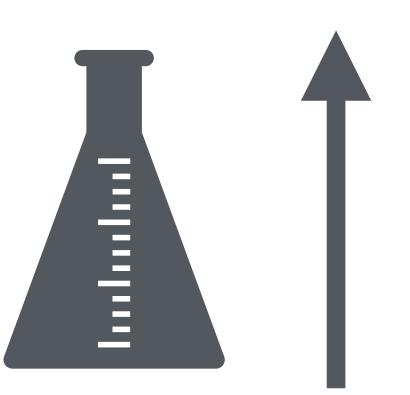
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Supervised Learning

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Meta Supervised Learning

$$\mathcal{D}_{\mathsf{train}} = \{\mathcal{D}_j\}_{j=1}^J \longrightarrow y = f(X_{\mathsf{test}}, \mathcal{D}_{\mathsf{train}}; \theta),$$

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• New notion - meta train & meta test sets

How does one learn a Meta Learner?

- IOW, how can we ingest training sets to learn how to learn?
- Recurrence

 $\mathbf{x}_1, \mathbf{y}_1$ $(\mathbf{x}_2, \mathbf{y}_2)$ $(\mathbf{x}_3, \mathbf{y}_3)$ \mathbf{x}_{test}

Learn an optimizer

 \mathbf{x}_{test} \mathbf{y}_{test} $g(\mathcal{D}_{\text{train}}; \theta)$ $(\mathbf{x}_1, \mathbf{y}_1) \ (\mathbf{x}_2, \mathbf{y}_2) \ (\mathbf{x}_3, \mathbf{y}_3)$

Learn an initialization

$$\mathbf{y}_{\text{test}} = f(\mathbf{x}_{\text{test}}; \theta - \alpha \nabla_{\theta} \mathcal{L}(\mathcal{D}_{\text{train}}))$$

Learn a model architecture

One example: Model Agnostic Meta Learning

- Idea: meta learning as a prior over space of models
- Learn a good initialization for new tasks

Algorithm 1 Model-Agnostic Meta-Learning

Require: $p(\mathcal{T})$: distribution over tasks

Require: α , β : step size hyperparameters

1: randomly initialize θ

2: while not done do

3: Sample batch of tasks $\mathcal{T}_i \sim p(\mathcal{T})$

4: for all \mathcal{T}_i do

5: Evaluate $\nabla_{\theta} \mathcal{L}_{\mathcal{T}_i}(f_{\theta})$ with respect to K examples

6: Compute adapted parameters with gradient descent: $\theta'_i = \theta - \alpha \nabla_{\theta} \mathcal{L}_{\mathcal{T}_i}(f_{\theta})$

7: **end for**

8: Update $\theta \leftarrow \theta - \beta \nabla_{\theta} \sum_{\mathcal{T}_i \sim p(\mathcal{T})} \mathcal{L}_{\mathcal{T}_i}(f_{\theta_i'})$

9: **end while**

Meta-training: Compute what should be a good parameter value for network at that task

Use all task losses to learn a good starting point, and repeat

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These losses can be different! (Weak supervision)

Utility in Jet Physics

- Prior over models can help with weak supervision (data-driven tuning)
- Data efficient (i.e., retain memory) over different sections of phase space
- Can automate much of model training

Thanks!

