

# A new method to determine $H_0$ from cosmological energy-density measurements

8 May 2024, Future Spectroscopic Surveys, Berkeley

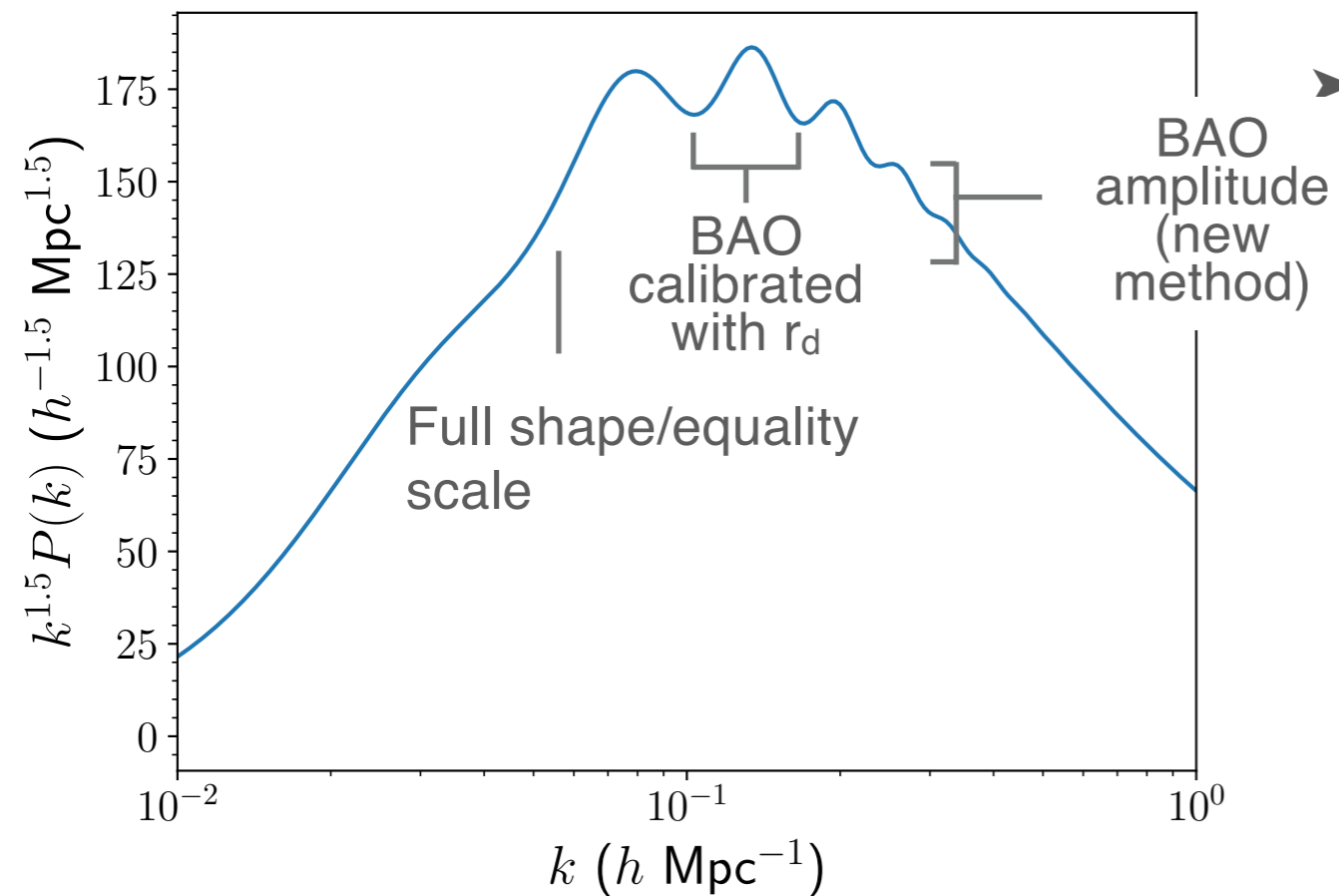
Alex Krolewski

CITA National Fellow, Waterloo Centre for Astrophysics

2403.19227 and 2403.19236

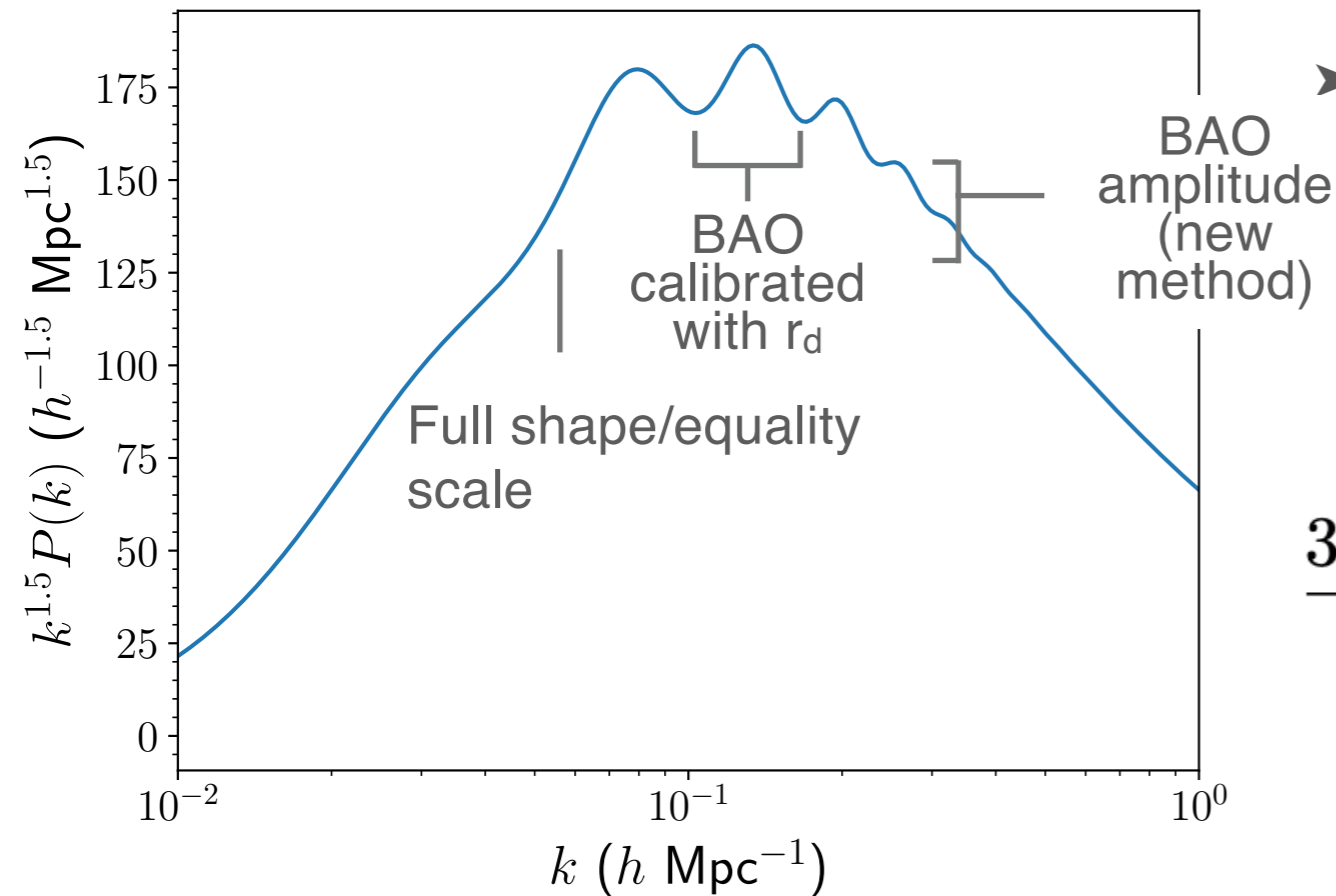


# A new sound horizon free $H_0$ measurement



- Can we measure  $H_0$  without any reference to standard rulers (equality or sound horizon)?

# A new sound horizon free $H_0$ measurement

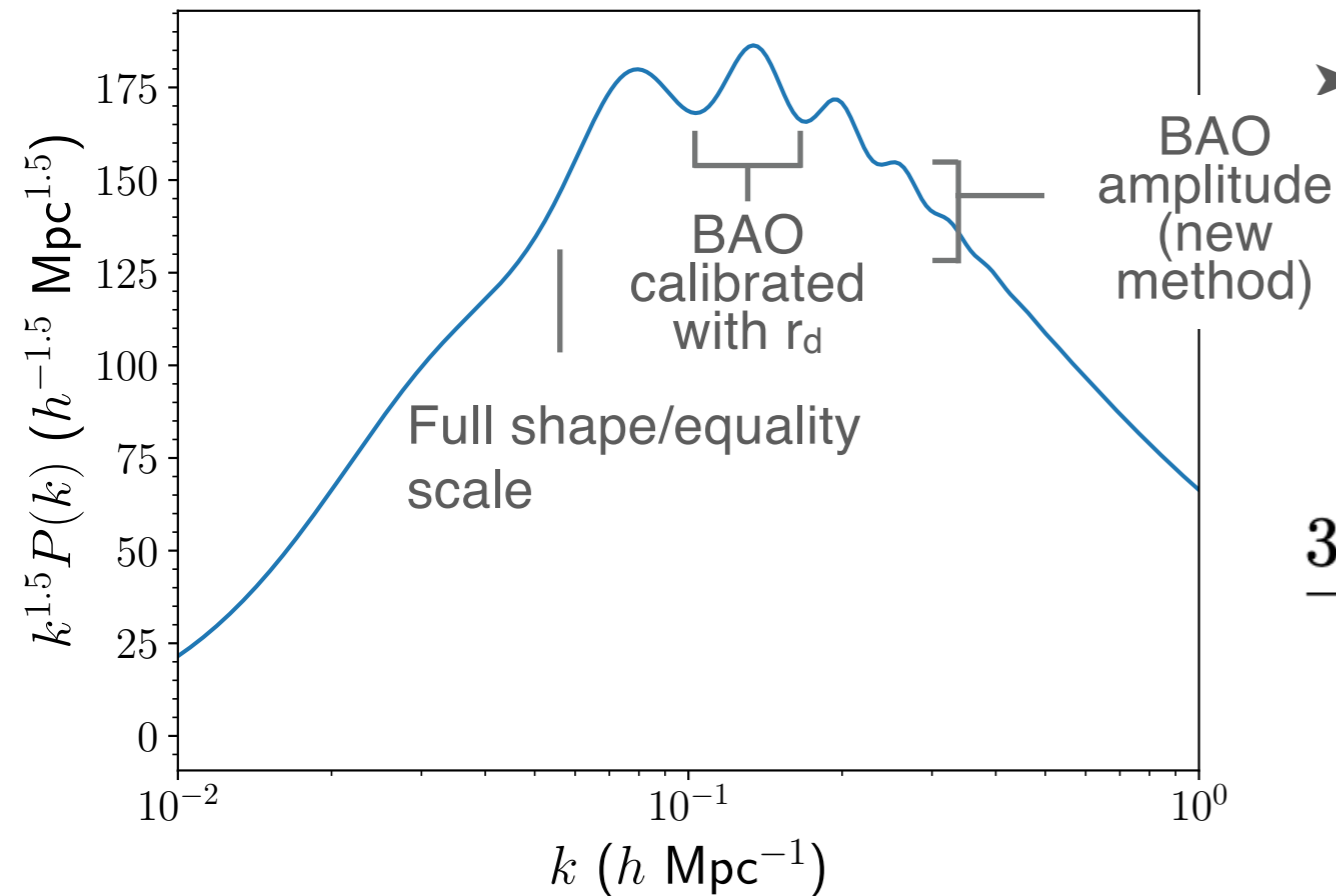


► Can we measure  $H_0$  without any reference to standard rulers (equality or sound horizon)?

► Yes!

$$\frac{3c^2 H_0^2}{8\pi G} = \epsilon_c = \underbrace{\epsilon_{\gamma,0}}_{\text{CMB Temp.}} \times \underbrace{\frac{\epsilon_{b,0}}{\epsilon_{\gamma,0}}}_{\text{BBN}} \times \underbrace{\frac{\epsilon_{m,0}}{\epsilon_{b,0}}}_{\text{Amp. of baryon signal}} \times \underbrace{\frac{1}{\Omega_{m,0}}}_{\text{Geometry}}.$$

# A new sound horizon free $H_0$ measurement



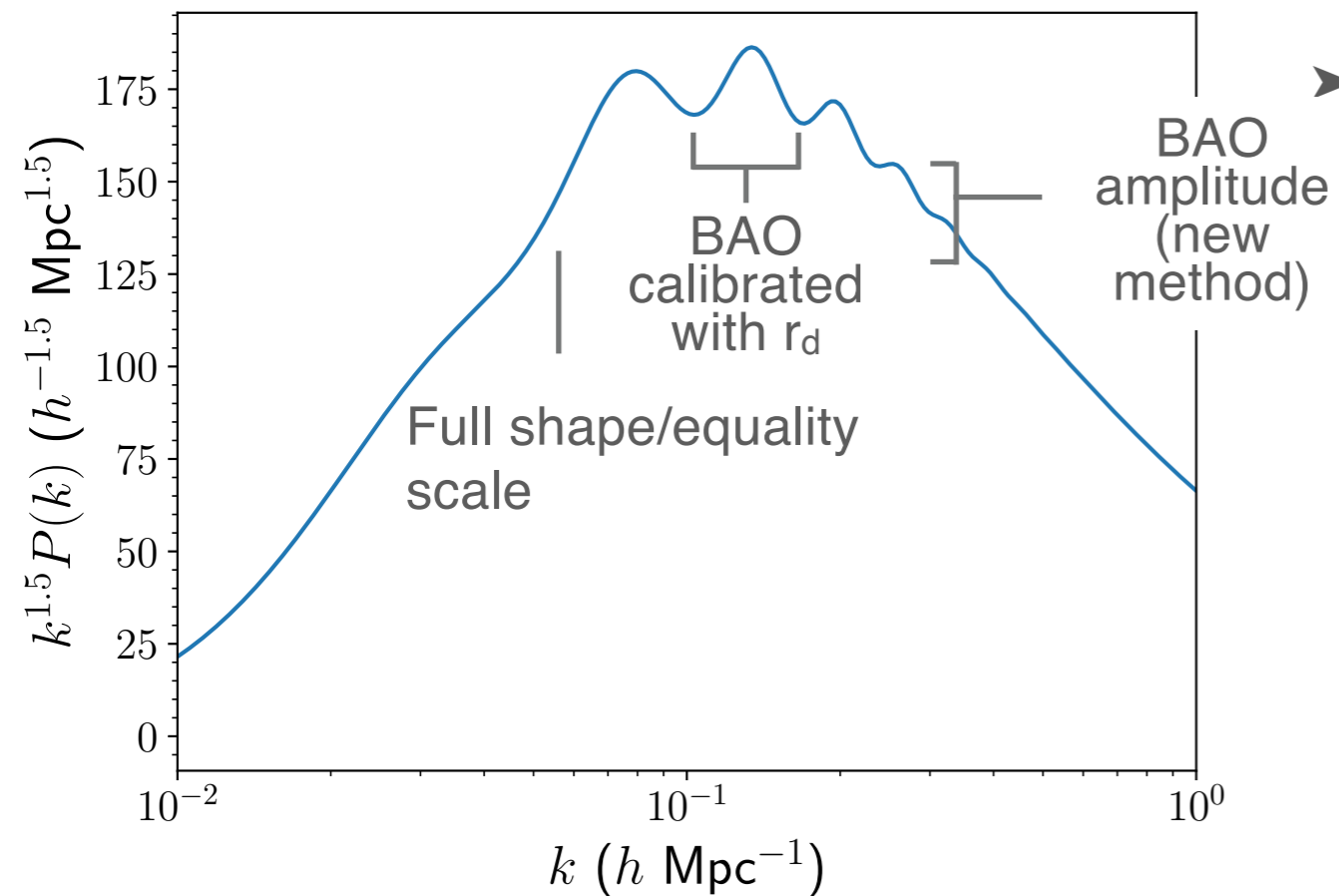
- Can we measure  $H_0$  without any reference to standard rulers (equality or sound horizon)?

➤ Yes!

$$\frac{3c^2 H_0^2}{8\pi G} = \epsilon_c = \underbrace{\epsilon_{\gamma,0}}_{\text{CMB Temp.}} \times \underbrace{\frac{\epsilon_{b,0}}{\epsilon_{\gamma,0}}}_{\text{BBN}} \times \underbrace{\frac{\epsilon_{m,0}}{\epsilon_{b,0}}}_{\text{Amp. of baryon signal}} \times \underbrace{\frac{1}{\Omega_{m,0}}}_{\text{Geometry}}.$$

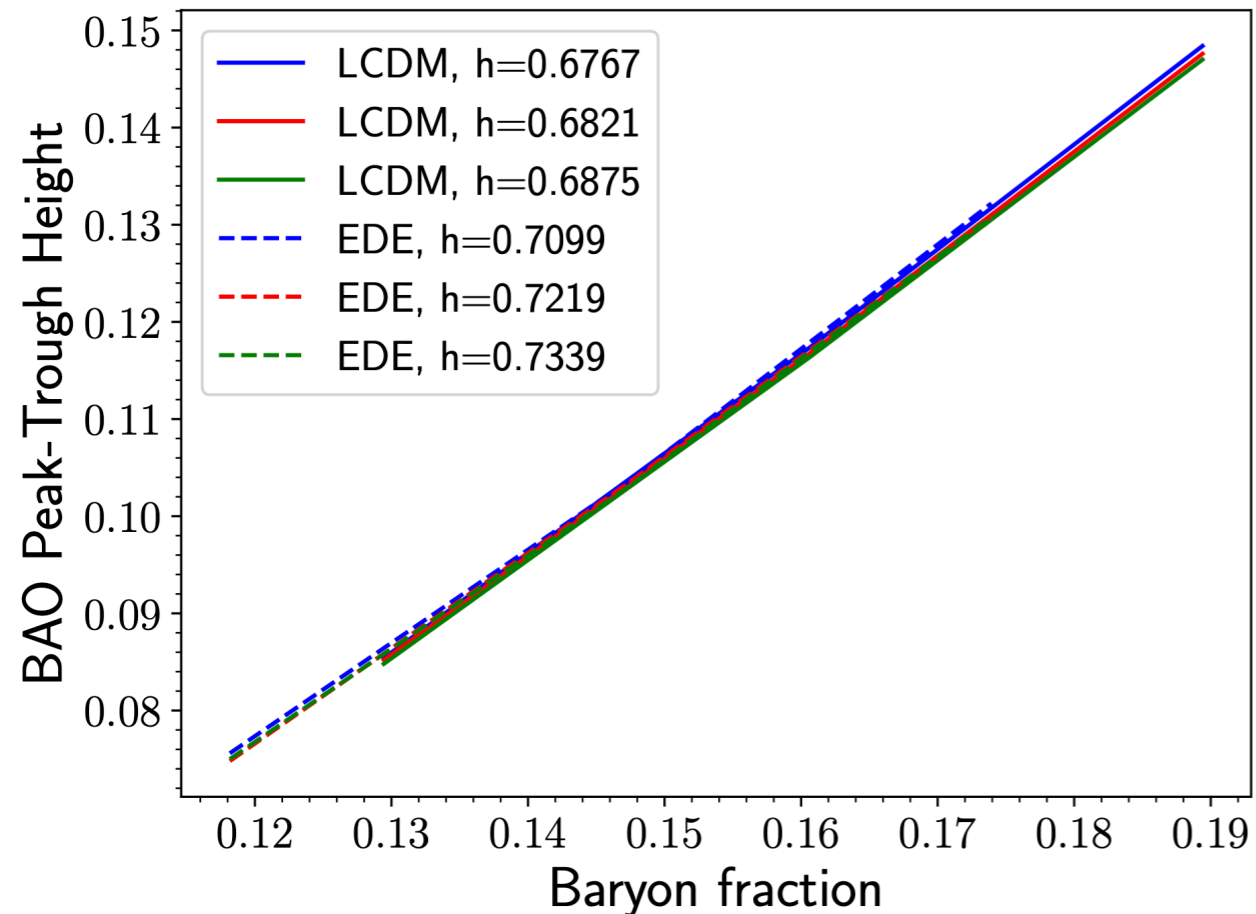
- Goals: model-independent constraints on Hubble-changing cosmologies; decomposing parameter constraints into their constituent physics

# A new sound horizon free $H_0$ measurement



- New method is complementary to
  - Standard  $H_0$  constraints calibrated by the sound horizon
  - Equality scale standard ruler measurements (Baxter & Sherwin 2021)

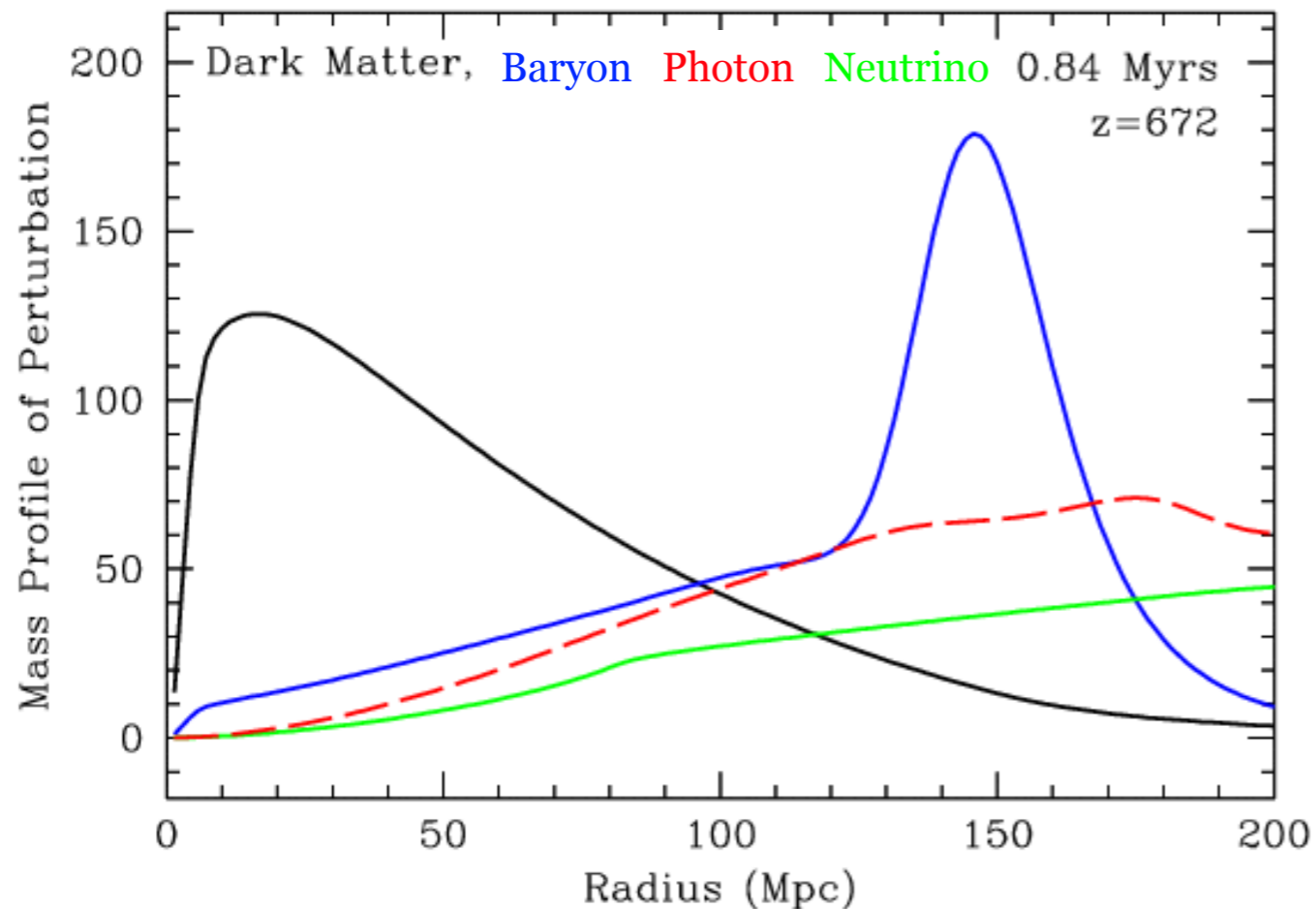
# A new sound horizon free $H_0$ measurement



- ▶ BAO amplitude is *very robust* to  $P(k)$  changes from Early Dark Energy

$$\frac{3c^2 H_0^2}{8\pi G} = \epsilon_c = \underbrace{\epsilon_{\gamma,0}}_{\text{CMB Temp.}} \times \underbrace{\frac{\epsilon_{b,0}}{\epsilon_{\gamma,0}}}_{\text{BBN}} \times \underbrace{\frac{\epsilon_{m,0}}{\epsilon_{b,0}}}_{\text{Amp. of baryon signal}} \times \underbrace{\frac{1}{\Omega_{m,0}}}_{\text{Geometry}}.$$











# Measuring the baryon fraction



credit: Daniel Eisenstein

- Split the transfer function into baryonic and CDM components with new parameter  $\gamma_B$ 
$$P(k) \propto (\gamma_B T'_b(k) + (1 - \gamma_B) T'_c(k))^2$$
- Use both template-based and full-shape methods to fit data
  - Template based: fits pre-recon and post-recon correlation functions
  - Full-shape based: add  $\gamma_B$  as extra parameter in CLASS-PT

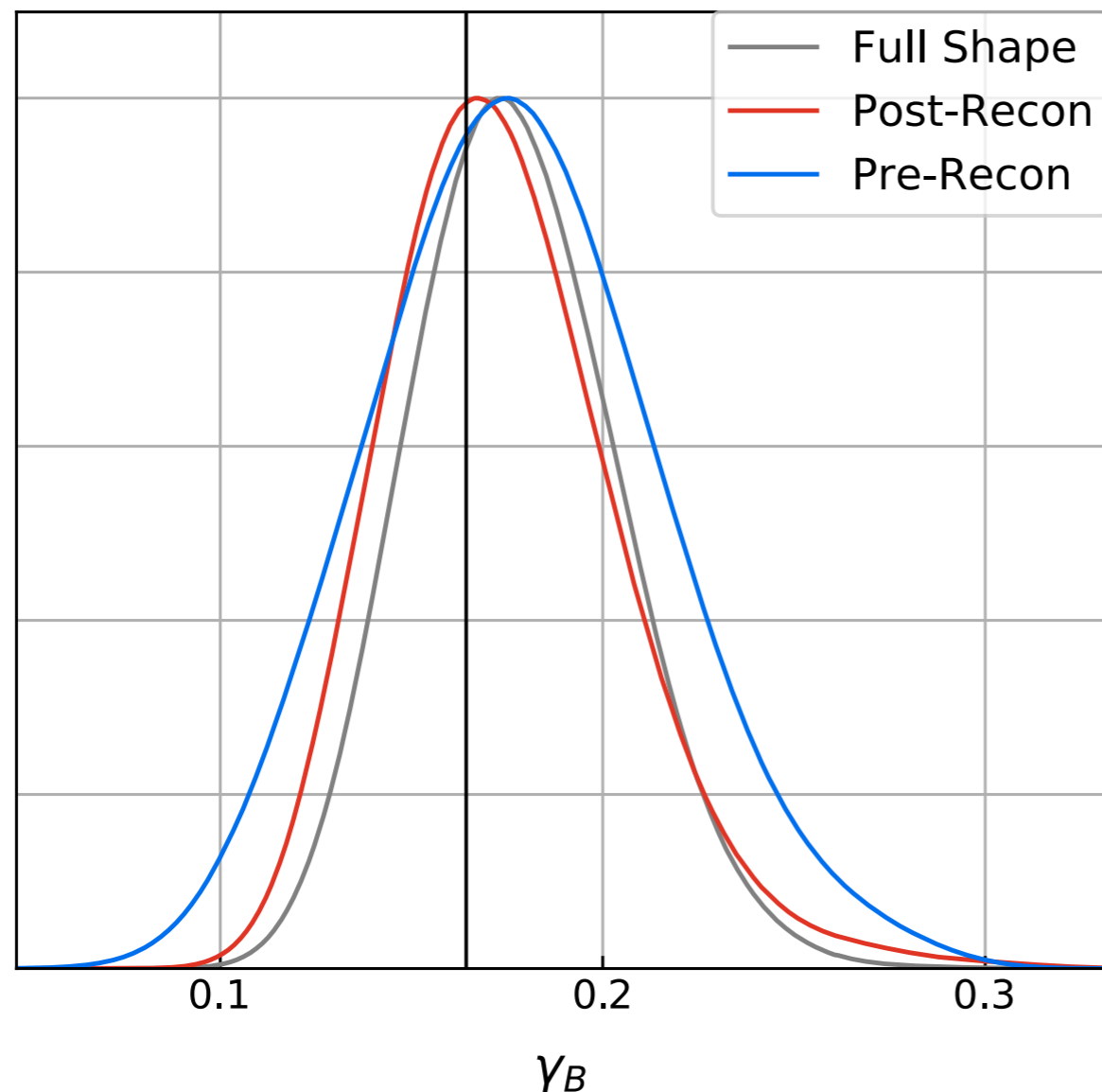
# Template and full-shape fits

	Template Fits	Full-shape fits
Cosmological Parameters?	Fixed 	Varied 
Reconstruction?		
Nonlinear parameters?		
Speed		
Model independent?		



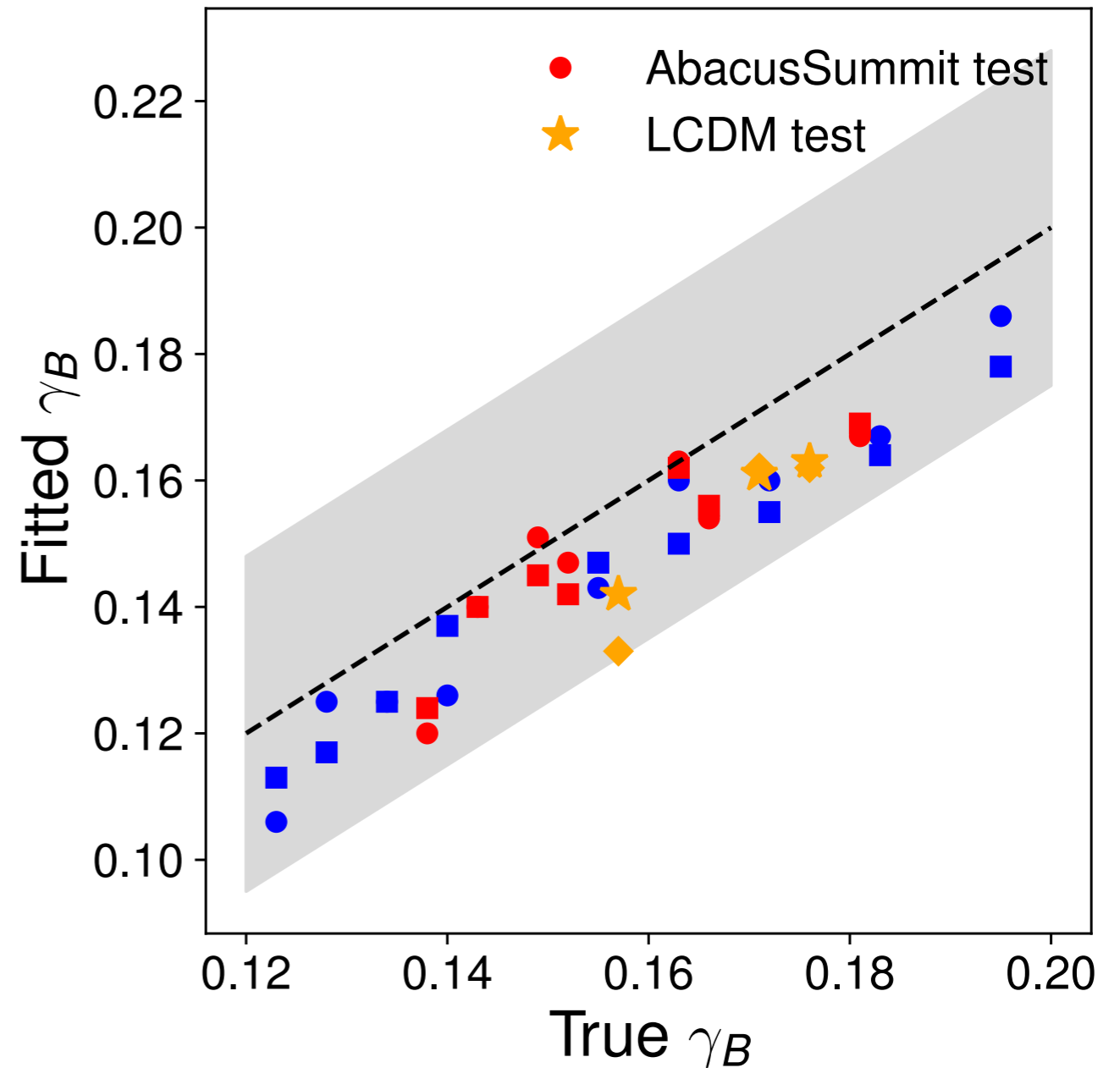
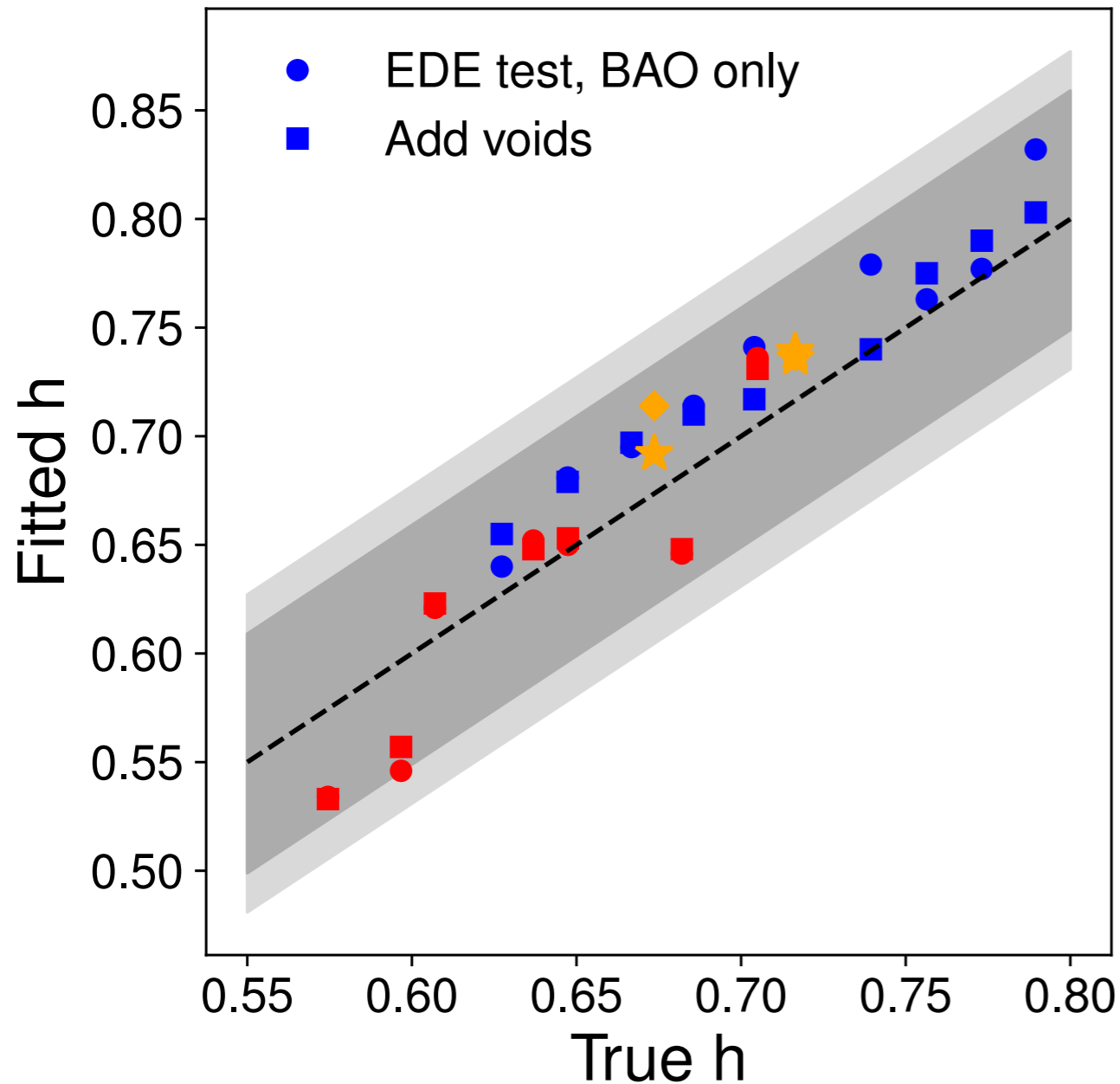
# Tests on N-body mocks

- Test recovery of  $\gamma_B$  on mean of 84 Nseries mocks
  - Large-volume N-body mocks matching the geometry of CMASS NGC
- $\gamma_B$  recovered within  $0.4\sigma$  ( $0.3\sigma$  for full-shape)



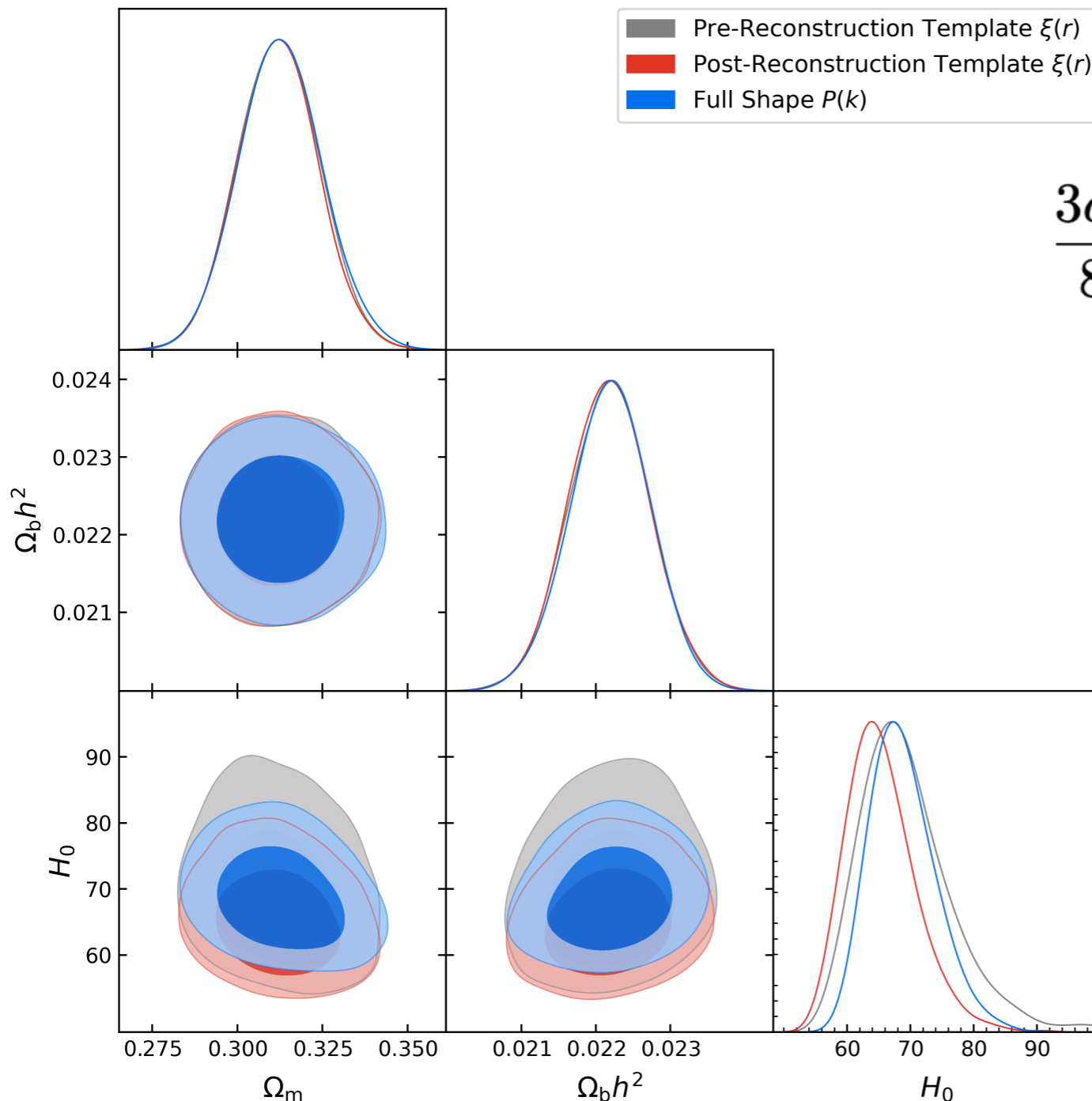
# Noiseless theory vector tests: full-shape fits

- $\gamma_B$  recovery similar between  $\Lambda$ CDM, EDE, and Nseries mocks



# Combining with BBN and uncalibrated standard rulers to measure $H_0$

- Datasets: BOSS baryon amplitude + BBN (Schoeneberg et al. (2024)) + BOSS distances marginalizing over  $r_d$  + Type Ia Supernovae + void AP constraints



$$\frac{3c^2 H_0^2}{8\pi G} = \epsilon_c = \epsilon_{\gamma,0} \times \frac{\epsilon_{b,0}}{\epsilon_{\gamma,0}} \times \frac{\epsilon_{m,0}}{\epsilon_{b,0}} \times \frac{1}{\Omega_{m,0}}.$$

CMB Temp.
BBN
Amp. of baryon signal
Geometry

# Energy density $H_0$ constraint

- Current constraints are rather weak (BOSS detects BAO at  $\sim 8\sigma$ )
- DESI-Y1 constraints ongoing; DESI-Y5+Euclid will allow  $\sigma_{H_0} \sim 1.5$  km/s/Mpc
- Constraining power scales similarly to BAO: DESI-2 & Spec-S5 are ideal for this measur

