## Machine Learning in Particle Physics

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## Questions in fundamental physics

Theoretical and experimental questions motivate a deep exploration of the fundamental structure of nature

Why is the Higgs boson so light?

Hierarchy problem


See also: quantum gravity

Why do neutrons have no dipole moment?

Strong CP


Reality

## Questions in fundamental physics

Theoretical and experimental questions motivate a deep exploration of the fundamental structure of nature

What is the extra gravitational matter?

Dark Matter


See also: dark energy

Why do neutrinos have a mass?

Flavor puzzles


See also: Where did all the antiparticles go? (Baryogengesis)

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We have performed thousands of hypothesis tests \& have no significant evidence for physics beyond the Standard Model

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> We will need new tools to explore our data in new ways!

## New tools: detectors

Dark matter/energy with LSST


Large Hadron Collider


Dark Matter with LZ


Mu2e experiment

## New tools: methodology

N -body simulations



Advanced accelerators

Material Simulations


Supercomputers


Theory Calculations


+ others !


## A hyper challenge

Key challenge and opportunity: hypervariate phase space \& hyper spectral data


Methodology


Detectors

## A hyper challenge

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## Typical collision events at the LHC produce O(1000+) particles



## A hyper challenge

Key challenge and opportunity: hypervariate phase space \& hyper spectral data

Typical collision events at the LHC produce O(1000+) particles

We detect these particles with O(100 M) readout channels


## Hypervariate vision with deep learning

We have been conducting
"multivariate" analysis of collision events for many years

However, recent advances have opened up a new way of looking at our data. This hypervariate vision will lead to a deeper understanding of nature and perhaps surprises along the way...

Everyone is aware that there must be new physics, but maybe we need hypervariate vision to see it?


## Representing our data



## Data analysis in particle physics

Theory of everything $\downarrow$

Physics simulators
$\downarrow$
Detector-level observables $\downarrow$

## Nature

## $\downarrow$

Experiment
$\downarrow$
Detector-level observables
$\downarrow$
Pattern recognition

## Data analysis in particle physics + ML



Detector-level observables Detector-level observables

## $\downarrow$ <br> Pattern recognition



Classification to enhance sensitivity

calibration
clustering
tracking
noise mitigation

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This is where most machine learning is being applied.

## Data analysis in particle physics

Analysis
Observables

## Calibration

# Pattern recognition 

Noise mitigation

Readout

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## Example: Removing Noise

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Example: Removing Noise
pp collisions at the LHC don't happen one at a time!
the extra collisions are called pileup and add soft radiation on top of our events
this is akin to image de-noising -we can use ML for that!

## Example: Removing Noise

Image: Journal of High Energy Physics 12 (2017) 51


## Data analysis in particle physics

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## Analyzing collider events with ML



Think of an event as an image + convolution neural network $\mathrm{O}(100) \times \mathrm{O}(100)$ pixels $=\mathrm{O}\left(10^{4}\right)$ dimensions! (state-of-the-art image processing tool)

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A growing toolkit called "generative models" are being developed to accelerate or augment simulations.

## Generative models

Training NN's is slow, but evaluation is fast

Physics-based simulations are


## Deep Generative Models

Can we combine our physics-simulator with deep learning?

A generator is nothing other than a function that maps random numbers to structure.


## A deep learning solution: GANs

Generative Adversarial Networks (GAN):
A two-network game where one maps noise to images and one classifies images as fake or real.


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Theory of everything $\downarrow \quad$ )
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Detector-level observables $\downarrow$
Pattern recognition

## Nature

## $\downarrow$

Experiment
$\downarrow$
Detector-level observables $\downarrow$

Pattern recognition

Simulators are a unique and powerful aspect of particle physics, but, they do not allow us to go "backwards" !!

## The Inference Challenge

Want this
$\downarrow$


Measure this


## The Inference Challenge

If you know $p$ (meas. I true), could do maximum likelihood, i.e.

> unfolded = argmax p(measured I true)


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If you know $p$ (meas. I true), could do maximum likelihood, i.e.

## unfolded $=\operatorname{argmax} p$ (measured $/$ true)

Challenge: measured is hyperspectral and true is hypervariate ... p(meas. | true) is intractable !

## The Inference Challenge

If you know $p$ (meas. I true), could do maximum likelihood, i.e.

$$
\text { unfolded }=\underset{\text { true }}{\operatorname{argmax}} p \text { (measured } / \text { true) }
$$

Challenge: measured is hyperspectral and true is hypervariate ... p(meas. | true) is intractable!

However: we have simulators that we can use to sample from $p$ (meas. | true)
$\rightarrow$ Simulation-based (likelihood-free) inference!
...an area of machine learning were particle physics is making a key contribution!

I'll briefly show you one solution to give you a sense of the power of likelihood-free inference.

## Reweighting

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The solution will be built on reweighting
dataset 1: sampled from $p(x)$ dataset 2: sampled from $\boldsymbol{q}(\boldsymbol{x})$

Create weights $\boldsymbol{w}(\boldsymbol{x})=\boldsymbol{q}(\boldsymbol{x}) / p(\boldsymbol{x})$ so that when dataset 1 is weighted by $\boldsymbol{w}$, it is statistically identical to dataset 2.

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What if we don't (and can't easily) know $\boldsymbol{q}$ and $\boldsymbol{p}$ ?

## Classification for reweighting

Fact: Neutral networks learn to approximate the likelihood ratio $=q(x) / p(x)$

Solution: train a neural network to distinguish the two datasets!

This turns the problem of density estimation (hard) into a problem of classification (easy)

## Classification for reweighting

Particularly useful for particle physics, where collisions may produce a variable \# of particles which are interchangeable


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$\stackrel{\downarrow}{\downarrow}$ Pattern recognition

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Detector-level observables
$\downarrow$
$\longleftrightarrow$ Pattern recognition

Anomaly detection


## Current Search Paradigm


(well-motivated) theory-biased
\& low-dimensional observables

## Current Search Paradigm



Can we relax model assumptions and explore high-
 dimensional feature spaces?

## Current Search Paradigm



## What if we are not looking in the right place for the new phenomena?!

Can we relax model
assumptions and explore highdimensional feature spaces?

## What is the problem?

Why can't I just pay some physicists to label events and then train a neural network using those labels?


Image credit: pixabay.com
Answer: this is not cats-versus-dogs ... thanks to quantum mechanics it is not possible to know what happened.

## Usual case: train with labels

Usually, we train using simulations where we know which events are "signal" and which are "background".

## (5)(5)(5)(5)(5) <br> (ㄷ(ㅇ(ㅇ)(s) (5)(s)(s)(s)(s)

(B) (B)(B) (B) (B)
(B) (B) (B) (B) (B
(B)B(B)(B) B

## (B) (B) (B) (B) B <br> (B)(B)(B)BCB

## No labels, no problem!

Can we still do machine learning when reality is like this?

## (3)(B)(B)(B)(5)

(B)(B)(B)(B)
(B)(B)(B)(8)
(3)(B)(B)(B)
(8)(B)(B)(8)
(5)(B)(B)(B)
(we don't get to observe the color of the circles)

## No labels, no problem!



One simple, but powerful idea: "weak supervision"

## No labels, no problem!



Assumption: there is a feature that we know about where the background is smooth and the signal (if it exists) is localized.

## No labels, no problem!



Assumption: there is a feature that we know about where the background is smooth and the signal (if it exists) is localized.

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We don't know where the signal is, but for a given hypothesis, we can make signal windows and sidebands.

## No labels, no problem!



## Potential of weak supervision



Necessary: when there is no anomaly, the procedure does not find an anomaly.

## Potential of weak supervision



## Overview: Particle physics and ML

Theory of everything Fast simulation /
phase space

Parameter estimation / unfolding

Physics simulators
$\downarrow$
Detector-level observables
$\stackrel{\downarrow}{\downarrow}$ Pattern recognition


## Nature

## $\downarrow$ <br> Experiment

Online processing \& $\downarrow)$ quality control

Detector-level observables

Classification to enhance sensitivity



## Conclusions and outlook

Deep learning has a great potential to enhance, accelerate, and empower discoveries in particle physics.

This set of tools is growing in importance and no matter what you do, they will help you do it better.


Consider taking a statistics / statical learning / machine learning / applied statistics course(s)!

## How else to get involved?



BERKELEY INSTITUTE
FOR DATA SCIENCE

ML and Science Forum, biweekly on Mondays at 11 AM


Physics Division ML meetings, weekly on Thursdays at 1 PM
(open to all)


## Example: two-jet search


$y=$ many features of the two jets

## Example: two-jet search



## Example: two-jet search



- most $10 \%$ signal-region-like
most $1 \%$ signal-region-like


## Example: two-jet search



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## Example: two-jet search



- most $10 \%$ signal-region-like
most $1 \%$ signal-region-like


## ...and when there is a signal?

sidebands
standard parametric fit to background.

mres

-_ most $10 \%$ signal-region-like

- most $1 \%$ signal-region-like most $0.2 \%$ signal-region-like


## ...and when there is a signal?



## ...and when there is a signal?



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-_ most $10 \%$ signal-region-like
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## What is the network learning?



## CWoLa hunting vs. Full Supervision



If you know what you are looking for, you should look for it. If you don't know, then CWoLa hunting may be able to catch it!

## Example: Unfolding

# What if we could unfold all particles simultaneously? We could then compute observables (and their bins) AFTER doing the measurement (!) 

...stick around for the second part of this session for more discussions on this point




Andreassen et al., 1911.09107

## New search ideas

Supervision refers to the type of label information provided to the ML during training.

Unsupervised = no labels<br>Weakly-supervised = noisy labels<br>Semi-supervised = partial labels<br>Supervised = full label information

These categories are not exact and the boundaries are not rigid!

## Solutions: Unsupervised

## Unsupervised = no labels

## Typically, the goal of these methods is to look

 for events with low p(background)

One strategy (autoencoders) is to try to compress events and then uncompress them. When $x=$ uncompres (compress $(x)$ ), then $x$ probably has low $p(x)$.

## Solutions: Weakly-supervised

## Weakly-supervised = noisy labels

Typically, the goal of these methods is to look for events with high p(possibly signal-enriched)/p(possibly signal-depleted)
e.g. Classification Without Labels (CWoLa), events in a signal region are labeled "signal" and events in a sideband are labeled "background". These labels are "noisy" but a classifier trained with them can detect the presence of a signal.

## Solutions: Weakly-supervised

Typically, th high $p$ (poss
e.g. Clas regior labeled " train


Metodiev, Nachman, Thaler, 1708.02949; Collins, Howe, Nachman, 1805.02664 + many more including the recent LHC Olympics (Kasieczka et al., 2101.08320)

## Solutions: Semi-supervised

## Semi-supervised = partial labels

Typically, these methods use some signal simulations to build signal sensitivity


[^0] more including the recent LHC Olympics (Kasieczka et al., 2101.08320)

## Deep Generative Models

A generator is nothing other than a function that maps random numbers to structure.


# Deep Generative Models in HEP 

## Speeding up slow simulation

## Generating <br> Phase space

## Estimating SM backgrounds

## Measurements and Inference

BSM searches

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N.B. being comprehensive with citations would fill up the slide - please see my link to the Living Review at the end for a comprehensive list

BSM searches

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$$
\begin{aligned}
& \text { Measurements } \\
& \text { and Inference }
\end{aligned}
$$



Bieringer et al., 2012.09873

BSM searches

## Deep Generative Models in HEP

## Speeding up slow simulation

## Generating Phase space

## Estimating SM backgrounds

Extract features of


Bortolato et al., 2103.06595


[^0]:    S. Park, D. Rankin, S.-M. Udrescu, M. Yunus, P. Harris, 2011.03550 + many

